

welcome to today's lecture will start again as usual our practice is by recapitulating what we discussed in the last lecture namely work done in different thermodynamical processes so we talked about isothermal process isobaric process isochoric process and most complicated of all is the adiabatic process so different thermodynamical processes which i am going to discuss now again just to emphasize the physical aspect of the calculations i did in the last lecture well all these processes i will be talking about are quasi static processes i repeatedly told you what do i mean by a quasi static process that means changes are in decimal small i make very small change in my thermodynamic variables so that the system can always be thought to be in equilibrium so i will be considering ideal gas for every instant of time i can write $pV = nRT$ if i consider n moles of ideal gas if not otherwise mentioned i will be considering mono atomic ideal gas okay so i will consider different quasistatic thermodynamic processes and my working substance is an ideal gas and will verify or rather will use first law of thermodynamics namely the conservation of energy to justify different situation whether there is a change in internal energy whether heat absorbed or heat released these are the things i am going to do in coming 20 25 minutes before i do the adiabatic process at some length ok so first process which we are going to discuss is very simple isothermal process by the way we have done mathematics in gory details in the previous lecture so today i will just code the results so isothermal process is temperature fixed well temperature remains fixed if i can draw a pV diagram this is my pressure this is my volume this is an isothermal process that means temperature constant which immediately implies that $p_i V_i = c_i$ this subscript i this denotes i am talking about an isothermal process this is very very important its not the initial value it depends on the process ok so this is an isothermal process $p_i V_i = c_i$ which is equal to $n R T$ T is a constant so this $n R T$ is a constant which is denoted here by c_i so in an isothermal process i am going from $p_1 V_1 T$ to $p_2 V_2 T$ ok i can think of this is an isothermal process in which i go from $p_1 V_1$ to $p_2 V_2$ obviously here you can see that

v_2 is greater than v_1 which immediately implies that p_1 is greater than p_2 ok
so i am increasing pressure
volume decreases and these i am going from high pressure to low pressure okay
and
this i will often call as expansion ok
so isothermal process temperature remains
fixed internal energy does not change but pressure and volume change i am
talking
about ideal gas internal energy is a function of temperature and since
temperature
is kept fixed in an isothermal process internal energy does not change ok but
pressure
and volume do change we calculated the work done the calculated work done is
 $p dv$ which is nothing
but if you go back to the previous slide we are calculating the area under
this curve as i said
in the very beginning of this set and this work done can be easily calculated
which is $n R T$
 $\log v_2$ by v_1 this is the final expression for work done in an isothermal
process if i
consider expansion that means v_2 is greater than v_1 which is the picture
i have shown here
you can immediately see work done is positive which is this one okay what does
it mean let
us recall first law these i will keep writing again and again almost in every
slide okay
this is my first law or conservation of energy i have said $d u$ is equal to
zero in this process
so Δq is equal to Δw work done is positive that means Δq is
also positive
which implies system absorbs heat and converts to work ok this is expansion
isothermal expansion in
which work done is positive system absorbs heat and converts it to work now if
i think of
contraction what do we mean by contraction contraction is v_1 is greater
than v_2 work
done is negative that means i am doing work on the system ok work is done on
the system and heat so
 Δq is negative Δw is negative and system releases heat it does not
absorb it remember our
convention was whenever system absorbs heat ok then Δq is positive and
system
does some work Δw is positive here work is done on the system because
work done
is negative as a result system releases heat these things will be very very
important when
we go to engine and refrigerator those things have multiple thermodynamic
processes
so we have
to be careful about the sign convention and we should know when heat is
absorbed or when heat is
released ok now proceed we can do this isothermal process calculation in an
alternative way which is

the same result you know $p v$ this is the thing we are calculating $p d v$ and how do you get $p d v$
 i just use this equation $p v$ is equal to $n r t$ ok just to tell you something interesting
 mathematically let us try to see what is v v is nothing but $n r t$ over p
 so what
 is change in $v d v$ which is nothing but i am doing a differentiation $n r t$ over p
 $p^2 d p$ i put it back in this equation i want to calculate the work done i put
 it back in this equation i get $n r t$ now integral is not over $d v$ i want to write
 it in terms of $d p$
 so i will be having a p^2 down by a factor of p^2 which i get from here and then $d p$
 so i have changed the integration
 from $d v$ to $d p$ and it goes from p_1 to p_2 ok
 so there is a minus sign all together so
 what you are getting you are getting $n r t \log$ of if we integrate one p cancels out \log of p_2 by p_1 ok
 so now i have $p_2 v_2$
 2 is equal to $p_1 v_1$ okay
 so what do i get my work done as you see what i have done i am writing again the same integral work done $p d v$ from v_1 to v_2
 $p v$ is equal to $n r t$
 so i get v is equal to $n r t$ over p v is equal to minus $n r t$ over p^2 i am just taking the differentiation
 so minus $n r t p$ by $p^2 d p$ and now
 i integrate from the initial value of the pressure to the final value of pressure which
 i get p_2 by p_1 and now use this result now use this return p_2 by p_1 one is actually v_2
 v_1 $n r t \log v_2$ by v_1 v_2 ok this is always equal to $n r t$ which is equal to the
 constant c i mentioned
 so you see you just take care of this minus sign you get $n r t \log v_2$ by v_1
 one ok if you compare with the previous light this is precisely the result we obtained
 so you see
 this result can be obtained in an alternative way i did it only to give you a different mathematical
 procedure
 so this is all about isothermal processes ok you should remember when work done is
 positive which means system absorbs heat and when work done is negative which means the contraction
 process in which work done is negative and the system releases heat and internal energy never
 changes because i am considering an ideal gas in an ideal gas internal energy is entirely
 a function of temperature t
 so lets proceed we now have isochronic process volume is kept fixed ok let us go slowly if volume kept fixed temperature and pressure they

do change and
so does internal energy because temperature changes means internal energy must change ok but
no work done because again work done is $p \, dV$ and i have said in the beginning
change in volume
 dV is equal to 0.

so now i ask the question whether the system absorbs it or it releases
it ok that will be determined by the change in internal energy again as i told
you recall the
first law Δq is equal to dU plus Δw this fellow is 0 in the present
case so
you see internal energy dictates whether Δq is positive or Δq is
negative so
heat absorbed that means increase in temperature as soon as you know there is
an increase in
temperature and which always implies pressure is also increases because we
know p
is proportional to t if V is constant then internal energy increases because
temperature
has increased internal energy must increase now if heat released Δq is
negative
 dU is negative internal energy decreases
so again repeat isochoric process volume is
kept fixed no work done you are going from $p_1 \, V \, t_1$ to $p_2 \, V \, t_2$ since no
work done Δq is
entirely determined by dU heat absorbed system temperature increases which
also means pressure
also increases and internal energy increases since temperature increases in
the reverse process
if Δu is negative or heat is released that means Δq is negative then
 dU will
be negative internal energy will decrease temperature will go down and
so does the pressure
so this is isochoric process now we go to the next process isobaric process
isobaric
process means pressure is kept constant ok here pressure is kept constant
volume and
temperature they do change ok as soon as you know the temperature change there
is a change in
internal energy ok this is your isobaric process in which you go from $p \, V_1 \, t_1$
to $p \, V_2 \, t_2$.
so
pressure is kept fixed
so calculation of work done becomes very very simple and this is simply
given by this in going from this step to this step we have simply use the fact
that $p \, V$ is equal
to $n \, R \, t$ initially it was $p \, V_1$ is equal to $n \, R \, t_1$ finally $p \, V_2$ is
equal to $n \, R \, t_2$
two
so this expression is very transparent if i consider an isobaric expansion
so if you
consider your isobaric process and try to show it in the pV diagram you see
pressure is constant

let us say this is some value and volume goes from v_1 to v_2
 so this is your work done this area under the curve is work done and
 that is this is $v_2 - v_1$
 so you know area under this curve is $p v_2 - p v_1$ which i
 can write also in terms of temperature only ok if there is an expansion that
 means $v_2 > v_1$
 going this way if i go this way v_2 is greater than v_1 which implies t_2 is
 greater than t_1
 one again if pressure is kept constant volume is proportional to temperature
 ok because $p v$ is
 equal to $n R t$ for an ideal gas and you know that pressure is kept constant
 volume is proportional
 to temperature
 so $v_2 > v_1$ implies $t_2 > t_1$
 so work done is
 positive there is a change in internal energy which is also positive because
 temperature has
 gone up internal energy being proportional to temperature for an ideal gas
 must also
 go up and system absorbs it ok
 so Δq is equal to Δu plus Δw it
 so happens
 this fellow is positive work done is positive Δu is also positive
 so i must have Δq
 positive which means system absorbs it ok so now we think of contraction
 contraction
 means remember your v_2 is final value and v_1 is the initial value
 so contraction
 process if i draw in $p v$ diagram you are coming from v_1 to v_2
 so you see work done definitely work done
 here since $v_1 > v_2$ work done is negative change in internal
 energy is negative
 and system releases heat because in this first law Δu is negative Δw is
 negative
 so Δq
 is also negative
 so so far we have summarized three processes first isothermal isothermal
 what is important about isothermal temperature is kept fixed whereas pressure
 and
 volume change satisfying the relation $p v$ is equal to $n R t$ which i have
 denoted by a constant c
 i ok internal energy does not change and you can calculate the work done and
 you can find out very
 easily when work done is positive system absorbs heat and wherever work is
 done on the system which
 releases heat ok this is isothermal and then i gave you an alternative way of
 same derivation
 just to show you some mathematical trick finally isochoric and isobaric
 processes isochoric
 process volume is kept fixed but temperature and pressure change and
 so does internal energy
 and hence you can calculate very easily the expression for the heat absorbed
 or released
 which is simply given in terms of the change in internal energy there is no

work done in an isochoric process whereas in the isobaric process pressure is constant but volume temperature can change but they change in such a way that v is proportional to temperature it must happen because pV is equal to nRT okay pressure is kept constant now here also internal energy changes and you can talk about two processes one is expansion and one is contraction here one has to be careful you always be careful remember v_2 is my final volume v_1 is my initial volume and i am going from $p_1 v_1 t_1$ to $p_2 v_2 t_2$ these three processes are unique in one sense or they have something common in some sense what is that i have three thermodynamic variables pressure volume and temperature in all these three processes i mentioned here i see two of them are changing one is kept fixed now i will go to the most complicated one which is called the adiabatic process in an adiabatic process there is no heat exchange so i can write Δq is zero so it will be an interplay between the internal energy and the work done what is most important here that pressure temperature and volume all the thermodynamic variables change so $p_1 v_1 t_1 p_2 v_2 t_2$ i am starting from $p_1 v_1 t_1$ i am going to $p_2 v_2 t_2$ ok in deriving the work done in an adiabatic process i proved $c_p - c_v$ is equal to R for ideal gas throughout this discussion we are considering n moles of ideal gas for example or n is equal to one you can set if you so $c_p - c_v$ is equal to R and the process is characterized by pV^γ is equal to constant it is not pV is equal to constant pV is equal to constant is a characteristic of an isothermal process in which temperature is constant pV is equal to energy for ideal gas if temperature is constant pV must be equal to constant but here temperature is not constant hence we have a different process equation describing my pV diagram which is pV^γ is equal to constant where γ is equal to c_p / c_v so in an isothermal process $p_i v_i$ is equal to c_i for an adiabatic process $p_a v_a$ to the power γ is equal to c_a please remember γ is always greater than one ok c_p always exceeds c_v thanks to this relationship ok so now i can draw things in a pV diagram i give you two curves ok these two curves intersect at some point which i am denoting by v_{naught} and p_{naught} i am asking the question by looking at these two curves can you tell me which one is isothermal and which

one is adiabatic
 remember one is characterized by the equation $p_i v_i$ is equal to c_i whereas
 the other
 namely the adiabatic process is characterized by this equation here ok now you
 have to think
 a little bit but i can tell by just looking at these two pv diagrams this is
 adiabatic process
 this is isothermal process how do you do that they intersect at the point p
 naught
 v naught you can immediately see that the curve which i denoted by adiabatic
 ok this is steeper this is steeper ok
 so you should look at this slope you can
 look at the slope and see which curve is steeper adiabatic is always steeper
 than the
 isothermal which i am going to show in few lines in the coming slide ok
 so question is
 i have two curves in the pv plane they intersect at a point p naught v naught
 i am
 asking the question which curve do you think represents an isothermal process
 and
 which represents an adiabatic process i am saying this one which has a steeper
 slope at the point of
 intersection is representing an adiabatic process the other one is an
 isothermal process
 let me give you a very quick proof of this thing please remember this picture
 in
 your mind ok
 so isothermal process isothermal in isothermal process i have $p_i v_i$ is
 equal to c_i whereas in the adiabatic process i have $p a v a$ raise to the
 power γ is equal
 to $c a$ ok now let us refer to isothermal process p_i is equal to c_i by v_i
 lets calculate the
 slope in an isothermal process $\frac{dp}{dv}$ which is nothing but c_i by v_i^2
 square but at the point v naught what is
 v naught let us go to the previous light this point of intersection i am
 calculating
 this slope here ok
 so this quantity now thanks to this equation
 i can write c_i as $p_i v_i$ by v_i^2 at the point v naught i got
 rid
 of the constant c_i completely and i can find out what is the expression i
 can
 immediately find out this is nothing but $p_i v_i$ by v_i^2 i cancel one of
 this and this is getting at p naught v naught
 so this slope is given by
 $\frac{p_{naught} v_{naught}}{v_{naught}^2}$ this is the slope of the isothermal curve at the point of
 intersection now let us go to the adiabatic let us go to the adiabatic process
 in an adiabatic
 process on the other hand i have that equation ok let me rewrite it is equal
 to $c a$ i want to
 calculate what is $\frac{dp}{dv}$ again at the point p naught v naught point
 of intersection if you
 calculate this this turns out to be $\gamma c a v a^{\gamma-1}$ now what is $c a$
 $c a$ is p

γ and remember I am calculating at p_1, v_1 here also it's better to mention that it is p_1, v_1 ok so if I do that immediately one can calculate I will not show all these steps γ p_1, v_1 so you compare these two this is the slope of the isothermal curve this is the slope of the adiabatic curve where at the point of intersection which is designated by the coordinates p_1, v_1 you see this is two curves so whatever is steeper is adiabatic whatever is not so stiff is isothermal so slope of the adiabatic is γ times this is I write it separately γ times p_1, v_1 which is nothing but this slope of the isothermal so this is the question I posed in the last class I gave you hints also that calculate the slope of the adiabatic at the point of intersection is γ times more the slope of the isothermal that is why I am saying that adiabatic curve is steeper than the isothermal curve now we can ask the question that given two curves on the $p-v$ diagram ok let's say I know this is my adiabatic this is my isothermal this is my adiabatic this is my isothermal let's call this point of intersection as O which has coordinates p_1, v_1 ok now let's consider an expansion process that means from v_1 I go to some v_2 which is here let us say this is my v_2 and also a contraction process start from v_2 and go to some v_1 so this is your v_2 let's say this is your v_1 ok this is your v_1 ok now ask the question if I consider an expansion process work done is more in which process adiabatic or isothermal if I start from saying v_1 ok let me address this question I have defined an expansion process I have defined a contraction process and work done will be more in which process in both the cases in adiabatic or in isothermal the picture itself has the answer let's discuss this let us start by considering the expansion process starting from v_1 to v_2 ok and I have an adiabatic process and also an isothermal process what is the work done in the adiabatic process this is simply the area under this curve ok so you can easily look at this area under the curve and that is your work done now what is the work done in an isothermal process this will be this area plus this area so in this expansion process you can see work done in the isothermal process is more ok whereas if you look at the contraction process you see your isothermal curve lies lower than the adiabatic curve so this is the work done in the isothermal process whereas this is the work done in the adiabatic process which includes the smaller part and also this bigger parts

so in the contraction process remember both the processes i
 am starting from v_{naught}
 so you have to consider the area starting from here okay
 so contraction
 process on the other hand adiabatic work is more work is more is more please
 note in an expansion process
 work done is positive while in a contraction or compression process work
 done is negative which means work is being done on the system
 so when i say
 that work done is more in the adiabatic process in a contraction from v_0 to v_1
 i refer to the
 magnitude of the work it means i need to do more work on the system in the
 idea basic process
 so what we learnt in these two slides that adiabatic curve is steeper slope
 of
 the adiabatic curve is γ times more the slope of the isothermal curve at
 the point of
 intersection please remember γ is greater than one what is the consequence
 from the intersection
 point which is at $p_{naught} v_{naught}$ you consider an expansion of to a volume v_2
 two work
 done in the isothermal process is more in comparison to the work done in the
 adiabatic
 process because isothermal process has this additional area on the other hand
 it is reverse
 if you consider contraction process in which adiabatic curve lies above the
 isothermal curve
 and adiabatic work done is more because you have to include these area this
 small area also
 this is what i wanted to say about to subtle issues about the adiabatic
 process i repeat it
 is the most complicated because you are changing all the thermodynamic
 variables you have at
 hand namely pressure volume and temperature now we calculated the work done
 work done is of
 this form which is $n R T_1 \ln \frac{v_2}{v_1}$ T_2 is your final temperature T_1
 is your
 initial temperature that is how we have fixed our notation if T_1 is greater
 than T_2 okay
 that means you are going to a lower temperature internal energy definitely
 will decrease
 because it is a function of temperature rather proportional to temperature
 work
 done is positive T_2 is greater than T_1 which means you are going to a
 higher
 temperature starting from the lower temperature internal energy will increase
 and work done
 is negative well remember here Δq is zero which tells me Δw this is
 very important i just wanted
 to show few more mathematical steps since we have this relation all
 through in an adiabatic process we always have this relation satisfied $p_1 v_1^\gamma = p_2 v_2^\gamma$
 γ is equal to $\frac{C_p}{C_v}$ γ is equal to $\frac{C_p}{C_v}$ a i can express this entire
 work

done in terms of volume only c_a carries the information about the pressure
 so
 this is the expression which you can also write in terms of c_a this may be
 useful in our later
 discussions
 so this completes our recapitulation thorough discussion of work done in
 different
 thermodynamic processes mathematics i have not done this class because all
 these mathematical
 steps were done in the previous class but but this subtle issues which i
 didn't consider in the
 previous lecture i have unfolded them
 so that you understand this processes by heart we need to
 use these processes in the definition of engine and refrigerator to which i am
 going to proceed
 now okay before that i have to bring in notion of reversibility what do you
 mean by a reversible
 process we have been talking about quasi static process
 so whatever process we have used
 so far
 are quasi static small changes system is always in equilibrium or at least i
 can assume
 within the time scale of experiment the system is in equilibrium if it is an
 ideal gas i
 can write pV is equal to nRT furthermore i will now assume that it is
 non-dissipative no friction
 or viscosity there is no dissipative force ok so i have already given these
 hints that you can have
 a forward process or a backward process once again i do a p b diagram i do not
 care whether it is
 isotherm or whether it is adiabatic i just draw a preview diagram
 so this is my volume and this
 is my pV diagram i am going from let us say a to b what do a and b imply those
 imply that
 initial values p_1, v_1, t_1 or p_2, v_2, t_2 which is b ok
 so this is my forward process let
 us say ok forward process takes me to something p_1, v_1, t_1 to p_2, v_2, t_2
 two t_2 ok now if
 i revert the direction of arrow what does it mean i mean that i am going from
 p_2, v_2, t_2
 two to p_1, v_1, t_1
 so forward process means i am going from p_1, v_1, t_1 to
 p_2, v_2, t_2 whereas backward process implies the reverse i am going from
 p_2, v_2, t_2
 to p_1, v_1, t_1 okay a reversible process means this forward and backward
 processes are completely
 equivalent what does it mean if in this process let us say forward process in
 the forward process i have ΔQ heat supplied or heat
 released ΔW is the total work done on the system or by the system ΔU
 is the change in internal energy if this represent
 my forward process in the backward process i should have minus ΔQ minus
 ΔW minus
 ΔU ok that is what i mean when i say forward and backward processes are
 completely equivalent

if i go from a to b Δq is heat supplied or is extracted from the system
 Δw is work done net work done on the system or by the system Δu is net change in the internal energy in the reverse process when i go from b to a everything should be negative Δq goes to minus Δq if i absorb a heat Δq in the forward process i must release an amount of it which is minus Δq in the reverse process similarly for work similarly for internal energy if internal energy change net change is positive and amount is Δu in the reverse process it will decrease by an amount Δu same amount this is what i mean by forward and backward process and in a reversible process these are equivalent in the following sense which i have elaborated here now if you consider a finite process from a to b which i have drawn here you can take any section of this let us say this is from c to d a small part of the entire p v diagram this small part should also be reversible ok what do we mean by that in this small part again i have Δq Δw and Δu if i do a reverse so i can go from c to d or d to c ok the same equivalence that Δq goes to minus Δq Δw goes to minus Δw and Δu goes to minus Δu in the backward process which is here from c to d holds true ok so what i mean to say here if i have a reversible process every small segment of this process must be reversible so this equivalence what i have said is valid obviously it should be quasi static otherwise i cannot define internal energy work done in the intermediate processes my system should be at equilibrium at every instant of time so it is quasi static and secondly this connection this equivalence i have presented here ok we hold true only i have no dissipative force no friction no viscosity then i can have a reversible process ok so all the processes i will talk about so far its quasi static class reversible ok with an advantage what is the advantage of reversible process if i know the forward process i know Δq Δw and Δu for a forward process i know it for the backward process also similarly if i pick up a small segment of the process as i have shown it here c d ok in this small segment also if i know the quantities for the forward process i will immediately know the quantities for the reverse process ok

so forward and backward process or i call it sometimes forward and reverse process they are equivalent they have a connection i know about the one process i immediately get to know about other processes

so the concept of reversibility is very very important throughout thermodynamics and it turns out to be very important in the next set in which i am going to define engine and refrigerator ok

so now brings in the concept of heat engine why thermodynamics is a very important subject ok its very important subject because of this possibility of constructing heat engines and reservoirs ok if you go back to history you will see entire industrial revolution started from steam engine ok

so engines are very very important because i need work i need to extract work and work i can get from heat engines i need refrigerator in hot weather and the principle of refrigerator refrigerator works based on the laws of thermodynamics

so what do we mean by engine and engine i will have a working substance for example i gave you the example of steam engine steam in steam engine is the working substance but in our case we have calculated work done from ideal gas in various thermodynamic processes

so we will consider ideal gas okay it works in a closed cycle what does it mean if i start from p t v these are my initial thermodynamic variables at the end of one cycle i should come back to pvt or rather this defines a cycle for me i start from initial value values of pressure temperature and volume my final value should also be the same p t and v this is a cycle and engine goes in a closed cycle that is obvious it has to go in a closed cycle

so that we can keep on getting work from the engine but also what is obvious that involves multiple thermodynamic processes why multiple we have seen four thermodynamic processes none of the processes which we have discussed so far can bring you back to same p v and t ok

so you involve multiple thermodynamic processes then only you can come back to your initial thermodynamic variables someone talks about isothermal temperature fixed but pressure and volume will always change in the isothermal process

so i must have some other process which you will soon see an adiabatic process to bring pressure and volume to an initial initial parameters but not a single adiabatic not a single isothermal will do the job for me i need multiple processes how many will soon see when we discuss about

Carnal engines

so i have an working substance this working or the working goes in a closed cycle that's multiple thermodynamic process i start from p, t, v i should come back to p, t, v works

in a closed loop between two heat reservoirs ok

so engine assumes the existence of

two heat reservoirs one is hot which is at temperature t_1 another is cold which is

temperature t_2

so i write it $t_1 > t_2$

so this working stuff substance will work

in a cycle between these two heat reservoirs with temperature t_1 and t_2 the

reservoirs they are very big if you like they have infinite heat capacity how much heat you may extract from them their temperature do not change

so t_1 and

t_2 are fixed t_1 and t_2 are fixed an engine absorbs a heat which is amount q_1

one from the hot reservoir and it releases some heat which is q_2 to the cold reservoir and

you know conservation of energy is tells us w is equal to $q_1 - q_2$ what about internal

energy internal energy cannot change i told you i am coming back to the same state

same thermodynamic state means same thermodynamic state of variables

so initial

temperature and final temperature after a closed loop they are the same and internal energy

for an ideal gas is proportional to temperature

so Δu or change in internal energy is zero so

we do not care about the internal energy here ok

so what is the essence i have a working

substance which i choose to be ideal gas works in a closed loop ok between two heat reservoirs

one is having temperature t_1 other is having temperature t_2 t_1 is greater than t_2

it absorbs heat from the hot reservoir the amount is q_1 and releases some heat

to the cold reservoir with lower temperature ok is q_2

so work done by the system is $w = q_1 - q_2$

minus q_2 this is conservation of energy but change in internal energy is zero because initial

temperature and final temperature happen to be the same

so lets do it pictorially

so lets say this is

my hot reservoir t_1 this is my cold reservoir t_2 this is my working substance and it goes in

a cycle ok it goes in a cycle means again i am saying initial value of thermodynamic

parameters at a p, v, t after a closed loop the value is again p, v, t and it going over many

many cycles ok

so it is the heat absorbed which i show by this arrow is q_1 it released to this

is q_2 ok and then w is the work i can extract from the engine over a cycle
ok is w and
conservation of energy tells me this one
so heat absorbed in a closed cycle one
cycle is q_1 heat release to t_2 again in a closed cycle is q_2 and work
done
is $q_1 - q_2$
so i am extracting some work from the engine and this is the work done
over one complete cycle now one can define efficiency of an engine efficiency
is defined
in the following work done by heat absorbed in a complete cycle ok that is
simply q_1
minus q_2 over q_1 .

so this is the expression this is the expression
so what could
be the maximum value of this ok what is the maximum value of it i can write
is w by q_1 maximum value possible value when i can set q_2 is equal to zero
ok
then η will be one now it is a big question
so you see that i make q_2 smaller and smaller
efficiency of the engine goes higher and higher okay question is can i make q_2
disappear completely from the problem
so system absorbs heat q_1 and converts
it to work then the efficiency will be identity and that is a fantastic
situation amount
of heat is applied is entirely gets converted to the work done question is is
it
possible construct an engine whose efficiency is perfectly one will come to
the answer to this question very shortly
so this is engine what is engine in a
nutshell it absorbs heat from a hot reservoir releases heat to a cold
reservoir and rest of
the amount $q_1 - q_2$ is converted to work at least engine provides us
work at the
cost of heat energy i supply to the engine now one can operate the engine in
reverse order
and that gives what we call the refrigerator
so i should not call it heat refrigerator
i call it simply refrigerator ok hot reservoir and cold reservoir i again have
two
reservoirs one is hot one is cold and i am asking the question what happens in
a complete cycle
ok heat absorbed from the cold reservoir q_2 note earlier in the case of engine
heat
was absorbed from the hot reservoir which was having a temperature t_1
refrigerator does the other way round i told you refrigerator works in a
reverse way
so heat absorbed from the cold reservoir q_2 it is taking heat from
the
cold reservoir and released heat to the hot reservoir
so it is releasing heat to
the hot reservoir and this is funny

so it takes heat from the cold reservoir
 so cold reservoir it
 takes heat and dumps it to the hot reservoir ok now this is an abnormal
 process engine it was
 fine it was taking heat from the hot reservoir releasing into the cold
 reservoir and in
 the process it was giving us some work here since it is the other way around i
 have
 to do some work on the refrigerator ok please note work done on the system
 these are all in a
 complete cycle in a complete cycle work done on the system is w
 so one can define a coefficient
 of performance heat absorbed by work done ok
 so heat absorbed from the cold reservoir heat
 release to the hot reservoir this difference with the heat engines one should
 bear in mind
 furthermore this time i am not getting work out of the system rather work is
 done on the system
 okay now proceed again pictorially if i draw it this is my hot reservoir t one
 this is my
 cold reservoir t two this refrigerator fellow again i will choose to be ideal
 gas if you like it
 could be anything ok now it absorbs heat from here follow the arrows i have
 drawn q_2 amount of
 heat it absorbs q_1 amount of heat it comes and then q_1 should be equal
 to the work done
 on it q_2 plus w this satisfies my conservation ok i take q_2 amount of
 heat and dump it to
 this now i have a coefficient of performance which i have defined heat
 absorbed by work done so
 q_2 by q_1 minus q_2 what will be my purpose i want to have w is equal
 to
 zero ideal situation ideal i would like to have w is equal to zero if w
 is equal to zero you see ϕ tends to infinity
 so what i will do i will extract heat from a cold
 reservoir and i will dump it to a hot reservoir but no work is required ok
 or rather i
 will keep on working in a closed cycle i will keep on extracting heat from the
 cold
 reservoir and no work is necessary to be done on the system if that ideal
 situation i can achieve
 then w will be equal to 0 and ϕ will be infinity
 so in engine case ideal situation maximum value
 of η was one we asked the question can i have an engine which has efficiency
 unity
 similarly here i live with the question can i construct a refrigerator whose
 coefficient of performance will be infinity no work will be needed it will
 extract heat from the cold reservoir and i will keep on continuing doing that
 in a
 cycle answer is both the cases answer is no why no that you will discuss in
 the next lecture when i
 introduce you to the second law of thermodynamics in the process i will tell
 you about two processes
 or two possible machines one perpetual motion of first kind and secondly

perpetual motion of
second kind will show both are impossible one because of the first law and
other because of
the second law
so i stopped the class here today you

Prutor@iitk