

The complex numbers $z = x + iy$ which satisfy the equation $\frac{|z - 5i|}{|z + 5i|} = 1$, lie on

A The x - axis

B The straight line $y = 5$

C A circle passing through the origin

D None of these

$$\frac{|z - 5i|}{|z + 5i|} = 1$$

$$\frac{|x + iy - 5i|}{|x + iy + 5i|} = 1$$

$$\frac{|x + i(y - 5)|}{|x + i(y + 5)|} = 1$$

$$\frac{\sqrt{x^2 + (y - 5)^2}}{\sqrt{x^2 + (y + 5)^2}} = 1$$

$$\sqrt{x^2 + (y - 5)^2} = \sqrt{x^2 + (y + 5)^2}$$

$$x^2 + (y - 5)^2 = x^2 + (y + 5)^2$$

$$-10y = 10y$$

$$20y = 0$$

$$y = 0$$

(A)