

## Probability Lecture 2

Sample Space: Set of all possible outcomes of a random Experiment.

\* A sample space having discrete number of sample points, is a discrete sample space.

Probability of an Event: if  $S$  is the sample space, and  $E$  is the desired Event. Then

$$P(E) = \frac{n(E)}{n(S)}, \text{ where } n(E) \text{ are the favourable outcomes and } n(S) \text{ is the sample space}$$

Also,  $P(E) \in [0, 1]$  i.e  $0 \leq P(E) \leq 1$ .

Mutually exclusive events: if the occurrence of one of the events rules out the any of the remaining events.  $A_1$  and  $A_2$  are mutually exclusive if  $A_1 \cap A_2 = \emptyset$ . Events  $A_1, A_2, \dots, A_n$  are mutually exclusive if  $A_1 \cap A_2 \cap A_3 \cap \dots \cap A_n = \emptyset$ .  
(Or) if  $A_i \cap A_j = \emptyset$  for any  $i, j \in S$

## Independent events:

If occurrence of any of the events does not affect the probability of occurrence of the other events.

### \* Note:

Mutually exclusive events will never be independent events (and) independent events never be mutually exclusive.

Event: Event is a subset of sample space(s)

\*  $\emptyset$  is also a subset of sample space and is called "impossible event".

Sample Event: An event which cannot be split (furtherly) is a sample event.

Compound Event: An event consisting of more than one sample points is called compound event.

Note for topic: Random Experiment, for sure has more than one outcome.