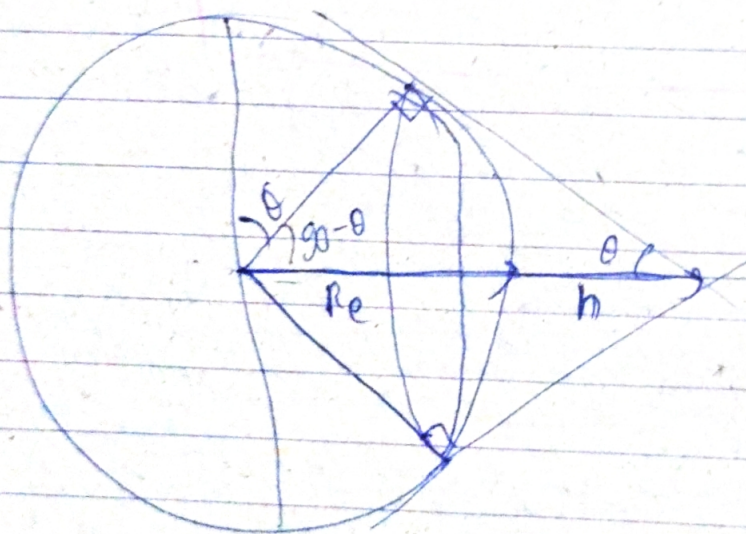
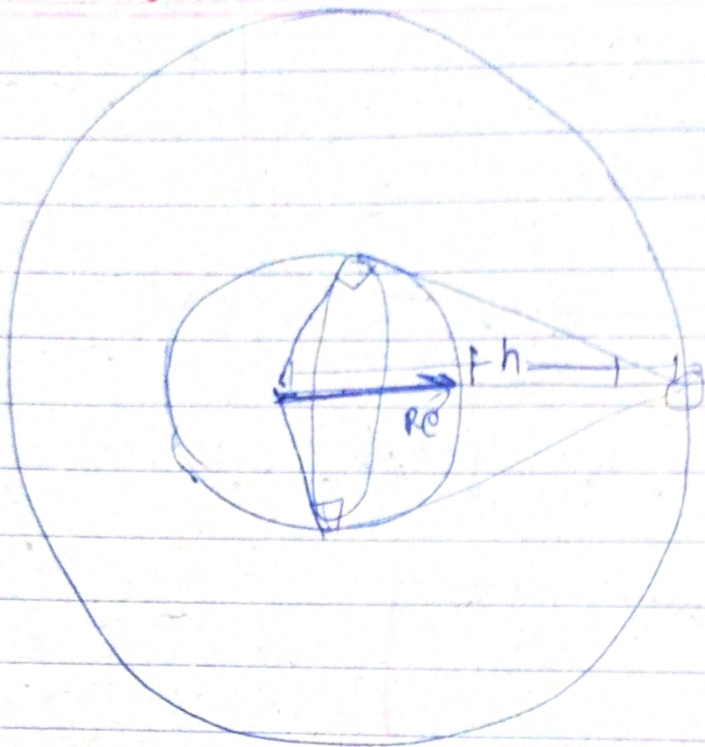


Broadcasting



$$A = 2\pi (1 - \cos(90 - \theta))$$

$$= 2\pi \left(1 - \frac{Re}{Re+h} \right)$$

$$A = \frac{2\pi h}{Re+h}$$

$$4\pi \rightarrow 4\pi R^2$$

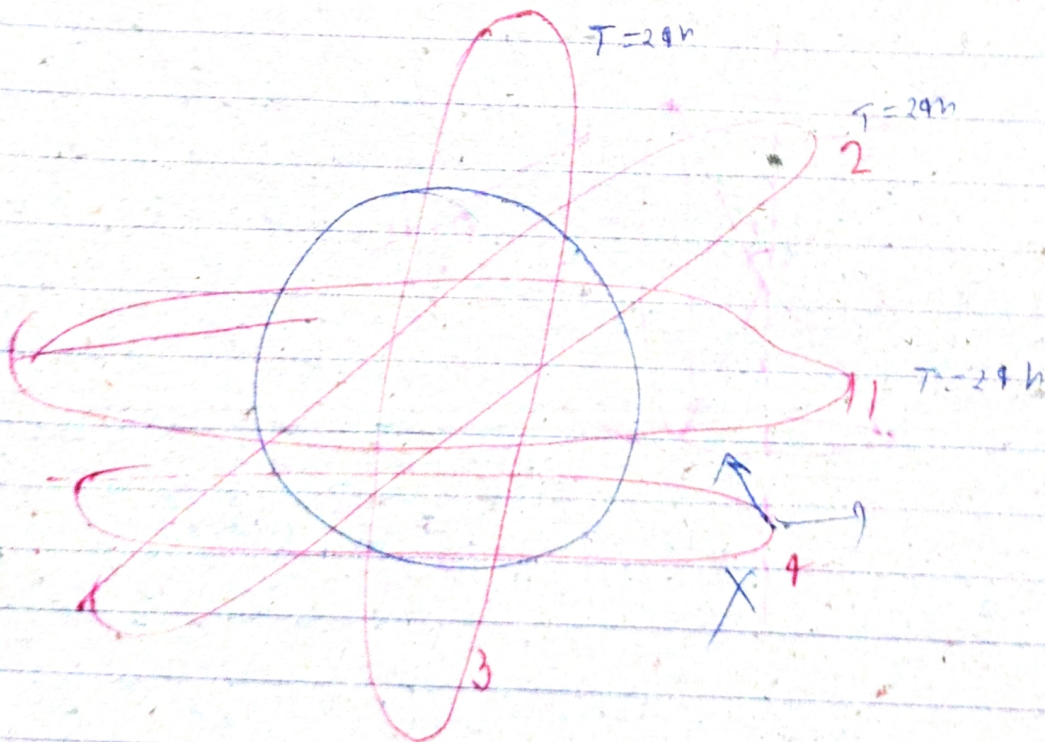
$$R \rightarrow R R^2$$

$$\text{Area of broadcast} = \frac{2\pi R^2 h}{R+h}$$

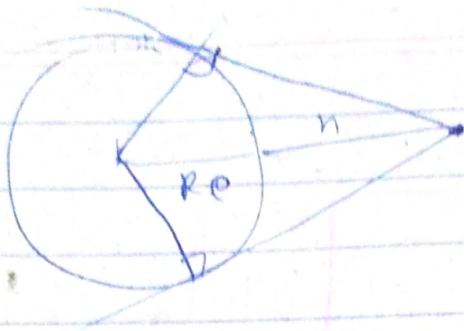
earth की री घूमती है \rightarrow west to east

Geostationary satellite \Rightarrow

ऐसे satellite जो earth की रि stationary रहे इसे geostationary satellite कहते हैं।



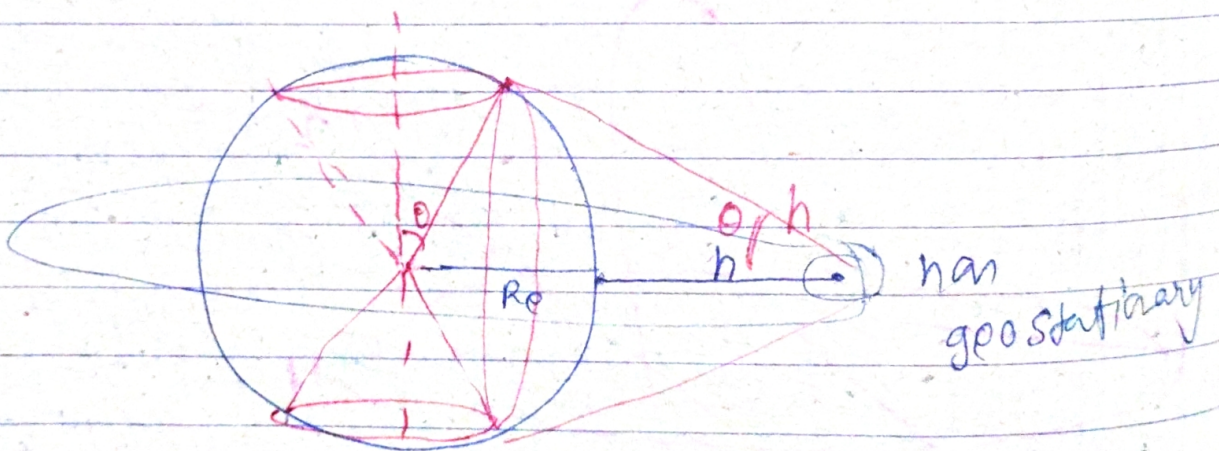
geostationary satellite की Time period \Rightarrow 24 hour
 plane should be equatorial
 sense of rotation \rightarrow west to east



$$T = 24 \times 60 \times 60 = \frac{2\pi}{\sqrt{G M_e}} (R_e + h)^{3/2}$$

$$h \approx 36,000 \text{ km}$$

Qun find out the Area where this satellite will not be able to broadcast

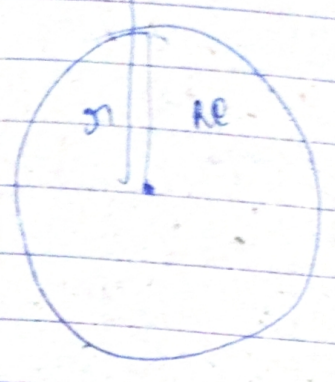


$$A = 2\pi R_e^2 (1 - \cos \theta)$$

Ans
$$2\pi R_e^2 \left(1 - \frac{\sqrt{(R_e + h)^2 - R_e^2}}{R_e + h} \right)$$

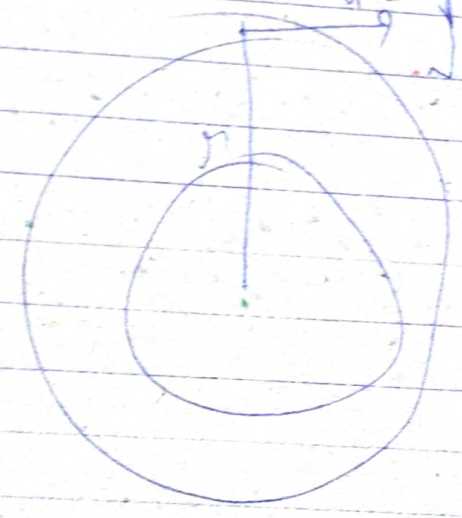
$u = 0$
SE line

$$r = \frac{m s G M_e}{\eta^2}$$



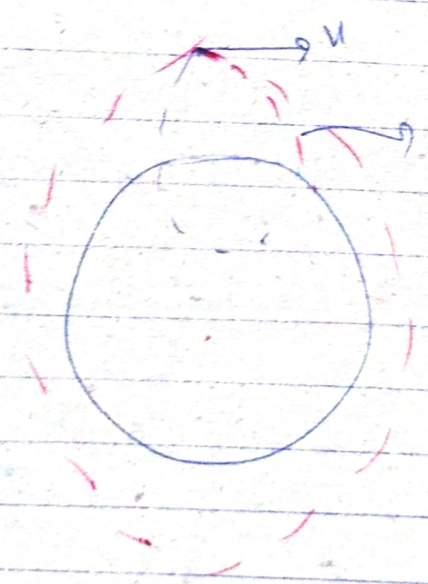
$u = \sqrt{\frac{GM_p}{s}}$

circle

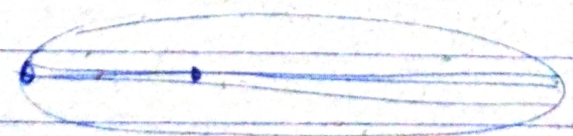


$0 < u < \sqrt{\frac{GM_p}{s}}$

arc of ellipse



basic properties of ellipse



Perigee

Apogee