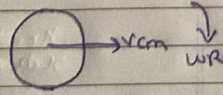


Tips TIPS and tricks

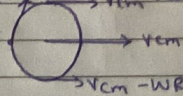
Always.

- (i) Pseudo force \rightarrow ^{Always} APPLY when you are in non-inertial frame.
- (ii) Rolling $\rightarrow v_{cm} = WR$; here $i=1$



You can determine the velocity of different

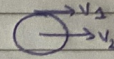
Point as $\rightarrow \sqrt{v_{cm}^2 + (WR)^2} \rightarrow v_{cm} + WR$



Point to be noted \rightarrow

\Rightarrow for rolling without

slipping \Rightarrow



$$v_1 = 2v_2$$

$$s_1 = 2s_2$$

$$a_1 = 2a_2$$

Other relation will be \propto in the same proportion.

$$\textcircled{\text{iii}} \quad \tau = R \times f = \frac{dL}{dt} = \textcircled{I\alpha}$$

\downarrow

Always valid (Use with proper vector)

\rightarrow only when there is

rotation about

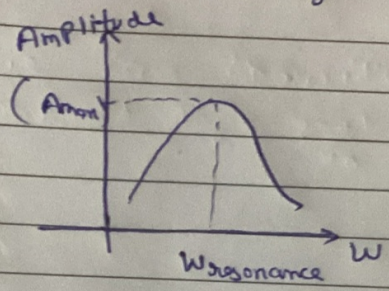
fixed ~~in~~ axis.

(IV) Precision \rightarrow Remember $\vec{\omega}$ changes \vec{L} ; \vec{L} can be changed by ~~two~~ ^{three} ways ~~other~~ \rightarrow These

- (i) $|\vec{L}|$ Change, \vec{L} dirⁿ remain same.
- (ii) \vec{L} dirⁿ changes, $|\vec{L}|$ remain same
- (iii) Both dirⁿ and magnitude change.

(*) Case 2 is ~~is~~ ^{is} Primary Condition of Precision $\{ \vec{L}$ changes it's dirⁿ continuously

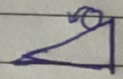
(V) Oscillation \Rightarrow The maximum Amplitude occur near resonance frequency.



(VI) Formulae for ^{Friction} ~~time~~ and acceleration when a ~~no~~ solid object roll down on slide (incline).

$$F_r = \left(\frac{g \sin \theta}{1 + \frac{R^2}{k^2}} \right) m$$

$$\Rightarrow a = \frac{g \sin \theta}{1 + \frac{k^2}{R^2}}$$



where $I = \frac{1}{2} m R^2$

Remember this Both formulae