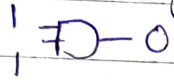


Logic circuit.

An electronic circuit based on some logic and connected b/w input & output, is called logic gate.

Based Boolean algebra.



Different names for the two digits. in terms of digital signal.

1	High	up	closed	excited	T	True	ON	YES
0	low	down	open	unexcited	F	False	OFF	NO

OR operation.

+

$A+B$

AND operation

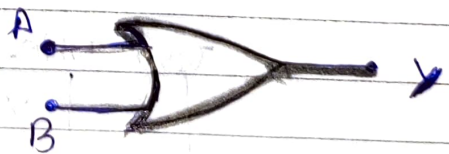
$A \cdot B$

NOT operation.

\bar{A}

OR Gate

two input & one output

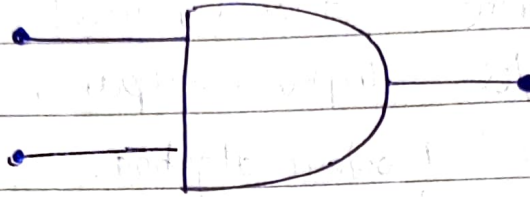


truth table.

A	B	$A+B$
0	0	0
0	1	1
1	0	1
1	1	1

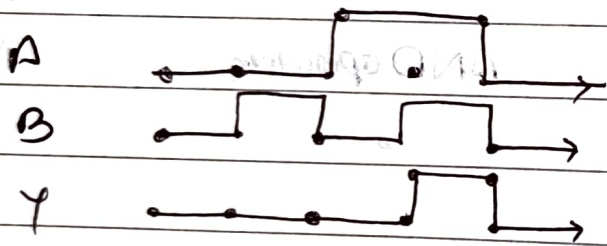
~~AND~~

AND GATE: A & B input only one output.



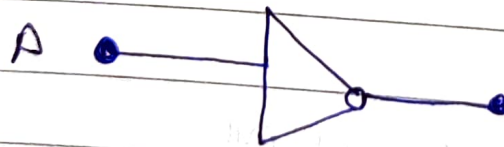
A	B	<u>A · B</u>
0	0	0
1	0	0
0	1	0
1	1	1

ex -



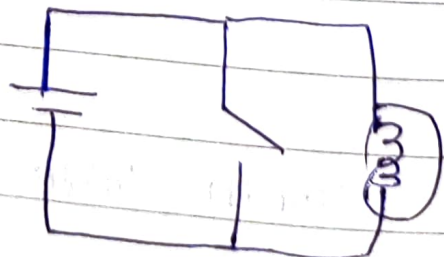
OR gate

NOT GATE: one input & output.



Truth Table.

A	$Y = \bar{A}$
0	1
1	0



Boolean postulates:

$$p = \begin{matrix} 0 \\ 1 \end{matrix} \text{ on } 1$$

Boolean postulates:

$$0 + p = p$$

$$1 \cdot p = p$$

$$1 \cdot 0 = 0$$

$$p + \bar{p} = 1$$

$$0 \cdot p = 0$$

$$p + \bar{p} = 1$$

identity law:

$$A + A = A$$

$$p \cdot p = p$$

negation:

$$\overline{\overline{A}} = A$$

commutative & Associate

De Morgan's law

$$\overline{A+B} = \bar{A} \cdot \bar{B}$$

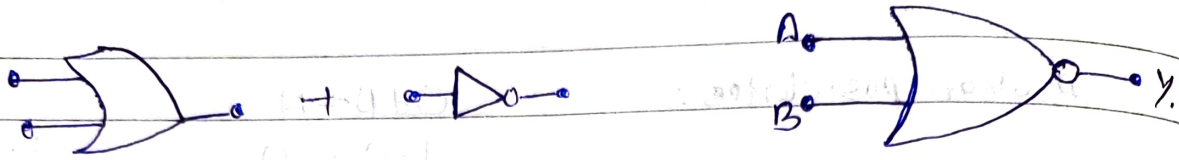
$$\overline{A \cdot B} = A + \bar{B}$$

$$\overline{A \cdot B} = \bar{A} + \bar{B}$$

$$\overline{\overline{A+B}} = \overline{\bar{A} \cdot \bar{B}}$$

$$= A + B$$

NOT GATE

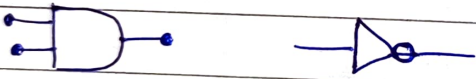
~~AND~~ OR + NOT

$$y = \overline{A+B}$$

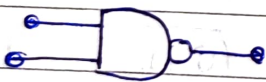
A	B	A+B	$y = \overline{A+B}$
1	0	1	0
1	1	1	0
0	0	0	1
0	1	1	0

NAND Gate.

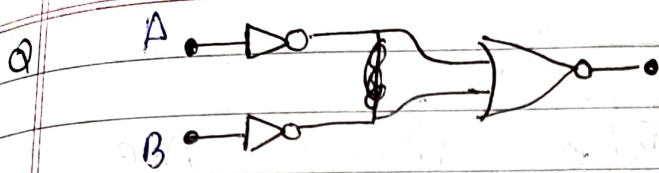
AND + NOT



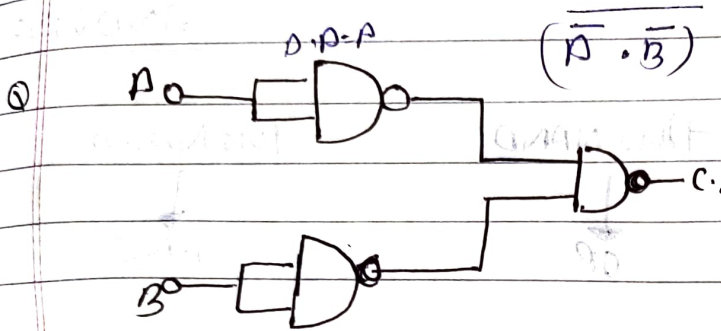
$$y = \overline{A \cdot B}$$



A	B	A · B	$y = \overline{A \cdot B}$
1	1	1	0
1	0	0	1
0	1	0	1
0	0	0	1

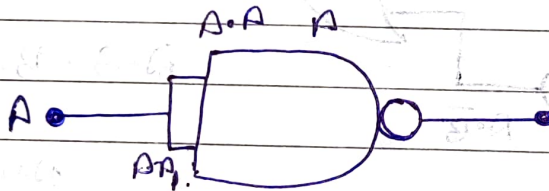


$$(\overline{A+B}) = \overline{A \cdot B} = \underline{\text{AND}}$$

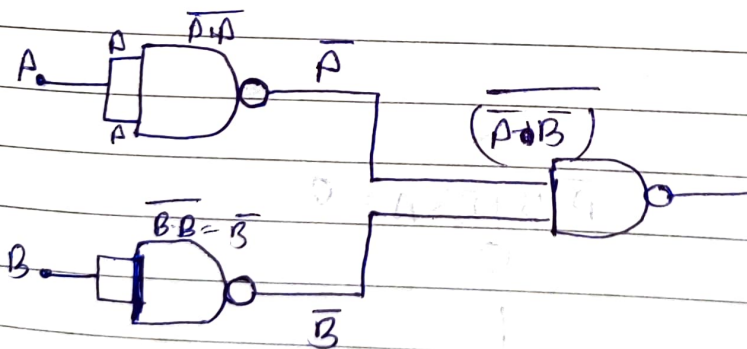


$$(\overline{A \cdot B}) = A+B \text{ or gate.}$$

Q Universal GATE : NAND GATE .



NOT Gate



OR Gate



$$\overline{(\overline{A \cdot B})} = A \cdot B$$

AND GATE

Single NAND



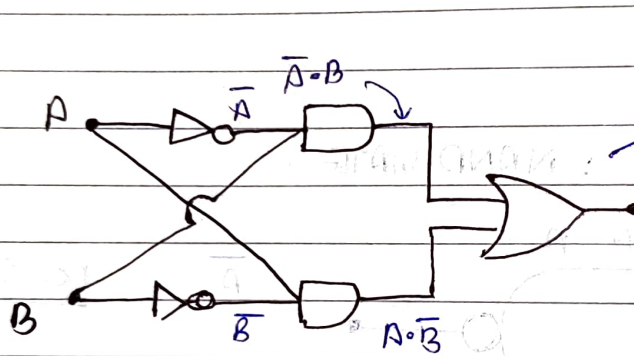
Three NAND



Two NAND



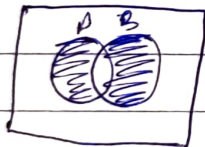
EX -



XOR Gate

$$\overline{A} \cdot B + B \cdot A = ?$$

$$A + B - A \cdot B$$



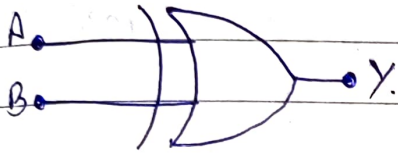
A	B	$\overline{A} \cdot B + B \cdot A = ?$
1	1	0
1	0	1
0	1	1
0	0	0

XOR GATE.

Form NOT, AND and OR gate.

known as exclusive OR gate.

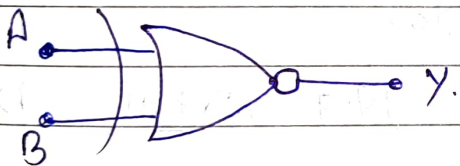
Boolean expression = $Y = A \oplus B = \bar{A}B + A\bar{B}$



A	B	$Y = A \oplus B$
0	0	0
0	1	1
1	0	1
1	1	0

XNOR.

XOR + NOT \rightarrow XNOR



$Y = A \odot B = \bar{A}\bar{B} + AB$

A	B	XOR	XNOR
0	0	0	1
1	1	0	1
1	0	1	0
0	1	1	0