

**DPP No. 15** 

Total Marks : 22

Max. Time : 23 min.

## **Topic : Quadratic Equation**

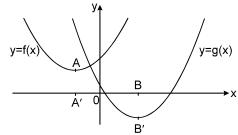
## Type of Questions

Comprehension (no negative marking) Q.1 to Q.3 Single choice Objective (no negative marking) Q.4,5,6 Subjective Questions (no negative marking) Q.7

	М.М.,	Min.
(3 marks, 3 min.)	[9,	9]
(3 marks, 3 min.)	[9,	9]
(4 marks, 5 min.)	[4,	5]

## COMPREHENSION (For Q.No. 1 to 3)

Let  $f(x) = x^2 + 2ax + b$ ,  $g(x) = cx^2 + 2dx + 1$  be quadratic expressions whose graph is as shown in the figure



Here it is given that |AA'| = |BB'| and |OA'| = |OB|.

- 1. Which of the following statements is correct (A)  $a^2 + d = d^2 + c$  (B) a + d = b + c (C)  $a^2 + d^2 = c + b$  (D)  $bc + c = a^2c + d^2$
- **2.** Sum of roots of equations f(x) = 0 and g(x) = 0 is

(A) 0 (B) 2(a + d) (C) 1 + b (D)  $2a - \frac{2d}{c}$ 

- **3.** If |OA'| = |AA'| = 1, then the values of 'm' for which  $(g(x))^2 + mg(x) + 4 = 0$  has two real roots which are distinct (A) (0, 4) (B) (4,  $\infty$ ) (C) (4, 5) (D) (5,  $\infty$ )
- 4. If  $\alpha \& \beta$  are the roots of the quadratic equation  $ax^2 + bx + c = 0$ , then the quadratic equation,  $ax^2 - bx (x - 1) + c (x - 1)^2 = 0$  has roots :

(A) 
$$\frac{\alpha}{1-\alpha}$$
,  $\frac{\beta}{1-\beta}$  (B)  $\alpha - 1$ ,  $\beta - 1$  (C)  $\frac{\alpha}{\alpha+1}$ ,  $\frac{\beta}{\beta+1}$  (D)  $\frac{1-\alpha}{\alpha}$ ,  $\frac{1-\beta}{\beta}$ 

- 5. If  $\alpha$ ,  $\beta$ ,  $\gamma$  are the roots of the equation  $x^3 px^2 + qx r = 0$ , then the value of  $\sum \alpha^2 \beta$  is equal to (A) pq + 3r (B) pq + r (C) pq 3r (D) q<sup>2</sup>/r
- **6.** If  $\alpha$ ,  $\beta$ ,  $\gamma$  are the roots of the equation  $x^3 px^2 + qx r = 0$ , then the value of

$$\left(\frac{1}{\alpha^2} + \frac{1}{\beta^2} + \frac{1}{\gamma^2}\right) \text{ is :}$$
(A)  $\frac{p^2 - 2qr}{r^2}$  (B)  $\frac{q^2 - 2pr}{r^2}$  (C)  $\frac{r^2 - 2pq}{r^2}$  (D) none of these

7. Find all values of 'k' for which the inequality (x - 3k)(x - k - 3) < 0 is true "  $x \in [1, 3]$ .

