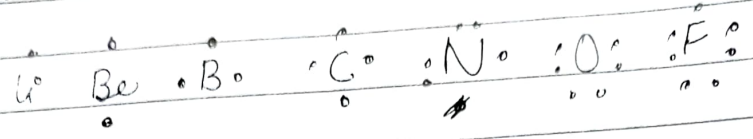
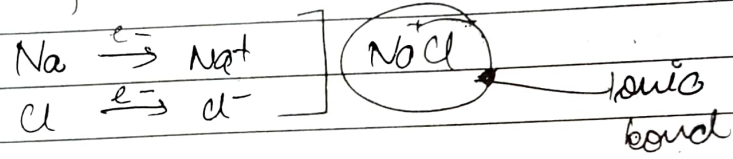


Lewis-Kossel Theory:  
According to Lewis, every atom tends to have 8 electrons in their valence shell as inert gases have this is called octet theory.



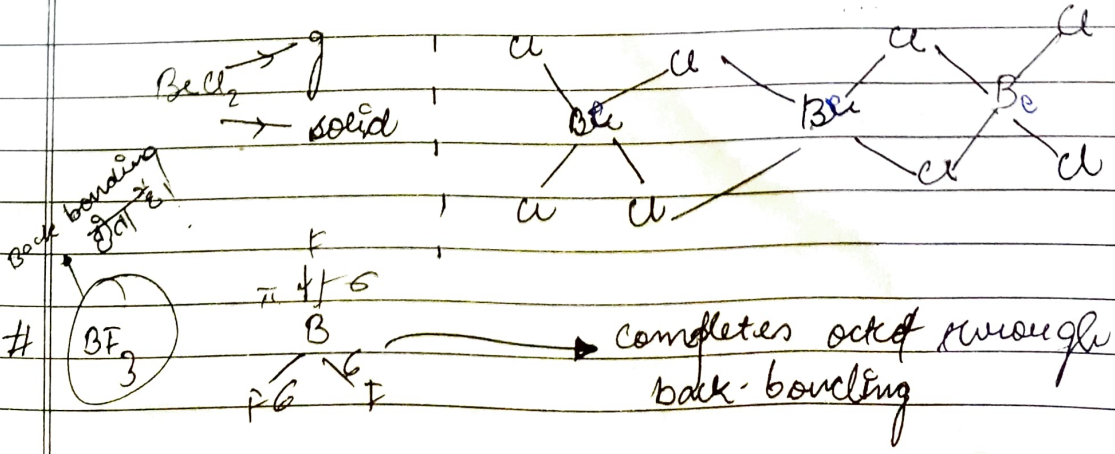
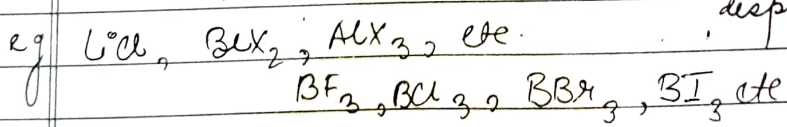
Kossel proposed the idea of ionic bond that alkali metals alkaline earth metals first and second group can give their electrons and form cation and 15, 16, 17 group can take electrons and form anion. halogens



Exception of Octet:

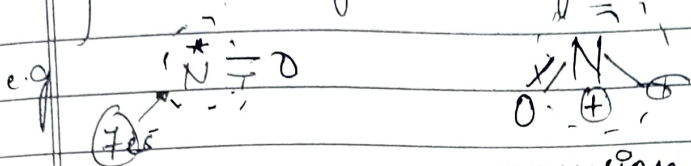
i) hypovalent compounds or electron deficient or Lewis acids are stable in spite of the fact that they have incomplete octet

Lewis acids are stable despite being hypovalent

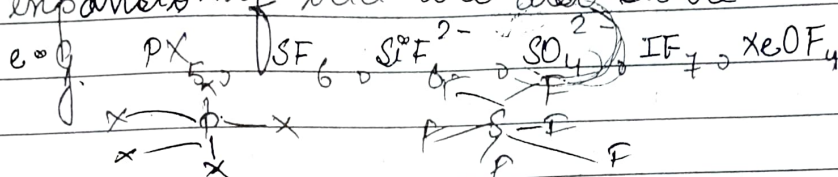


odd electronic species

ii) Odd electrons are also stable despite of the fact that they don't obey octet rule.



iii) Hypervalent species & species which have expansion of octet are also stable.



→ Octet rule is based on inertness of noble gases. But **Kr & Xe** forms compounds with F & O.

Noble gases which react with F & O

→ Octet rule doesn't explain shape, stability, energy, colour of compounds etc.

## COVALENT BOND:

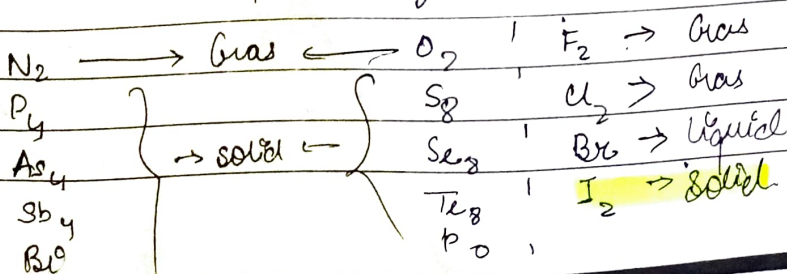
→ It is formed by mutual sharing of e<sup>-</sup> pair between two atoms.

Actual sharing pair

### \* CONDITION:

i) Physical state:

They are solid, liquid & gas.





• weak intermolecular force

i) Covalent compounds have weak intermolecular force of attraction so they have low M.P & B.P & low density (low M.O.P, B.O.P)

ii) Down the group B.O.P, M.O.P, density ↑  
D.T.G, covalent character ↓  
thermal stability ↑

iii) Solubility:

covalent compounds are non-polar or less polar. so they are insoluble or less soluble in water, while more soluble in organic solvent like acetone, toluene

iv) Electrical conductivity:

they have low conductivity & they are bad conductor except  $H_2O$ , ammonia & graphite

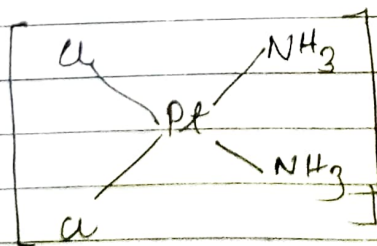
↑ due to localization of  $e^-$

v) Isomerism:

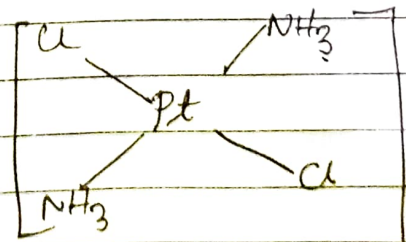
directional character → isomerism.

covalent bond has directional character so covalent compound can exhibit isomerism e.g.

$[PtCl_2(NH_3)_2]$  has dual formula as



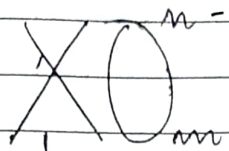
&



Covalent → directional

ionic → non-

Structure:



Note: Consider ONLY negative charge on O

central atom

How to select a central atom?

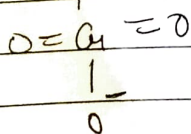
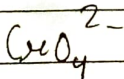
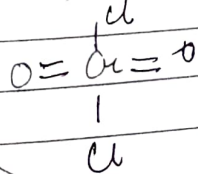
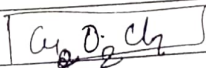
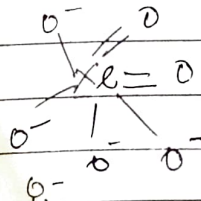
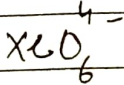
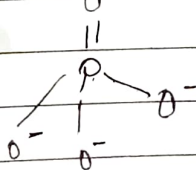
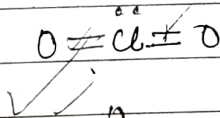
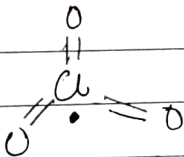
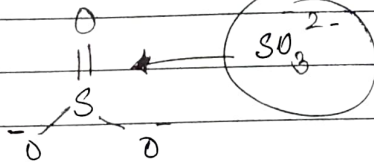
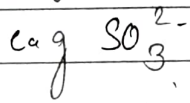
- a) less EN no.
- b) less electronegative
- c) More covalency

NOTE:

Fluorine & Hydrogen can never act as central atom

\*\* No. of  $\pi$ -bonds:  $m - n$  ← no. of -ve charge

~~l.p. = valency - total bonds~~  
~~2~~





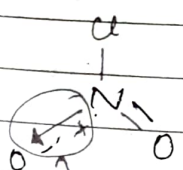
Basic requirement:

Each bonded atom gets an octet of electrons.

Total lone  $\rightarrow \frac{1}{2}$  shared

$$\text{Lone pair} = \frac{\text{Valency} - \text{Total bond}}{2} = \frac{V - T_b}{2}$$

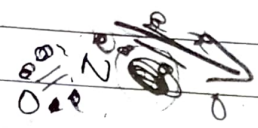
Nitrogen  $\rightarrow$  5  
 Oxygen  $\rightarrow$  6  
 Halogen  $\rightarrow$  7  
 $\text{NO}_2$   
 $\text{NO}_2\text{Cl}$



Hybridisation (Flip two pages)  
 $sp^2$

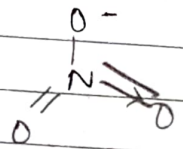
$\text{NO}_2$

Coordinate bond: Donor  $\rightarrow (+)$   
Recipient  $\rightarrow (-)$



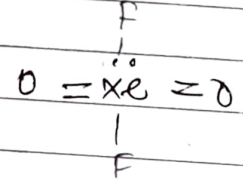
Hybridisation  
 $sp^2$   $\rightarrow (\sigma + lp)$

$\text{NO}_3^-$



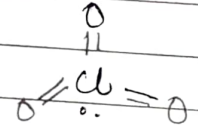
$sp^2$

$\text{XeO}_2\text{F}_2$



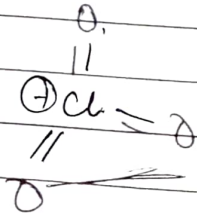
$sp^3$

$\text{ClO}_2$

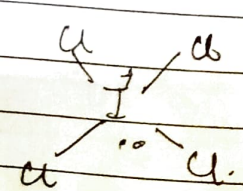


$sp^3$

#  $\text{ClO}_3^+$



$[\text{ICl}_4]^+$



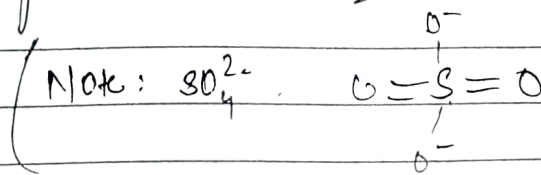
$sp^3d$

helps in selection of lowest energy structure.

Formal charge on an atom in a Lewis structure:

$$F.C = \left[ \begin{array}{l} \text{total no. of valence e} \\ \text{in free atom} \end{array} \right] - \left[ \begin{array}{l} \text{total lone} \\ \text{pairs (e}^- \end{array} \right] - \frac{1}{2} \left[ \text{shared e}^- \right]$$

e.g.  $O_3 = 6 - 2 - \frac{1}{2}(6) = (+1)$



$F.C = [ \text{Valency} - \text{total no. of surrounding e}^- ]$   
Perfectly tetrahedral

Finding sigma bond & lone-pair:

$XeF_5 = 8 + 7 \times 5 = 42$

Inert gas  
Valence electron

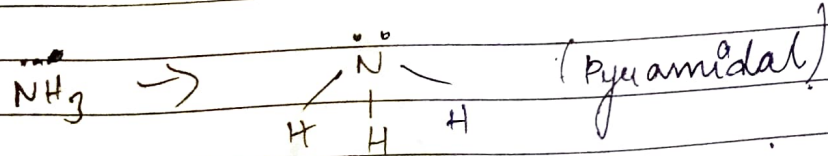
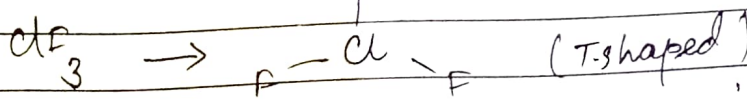
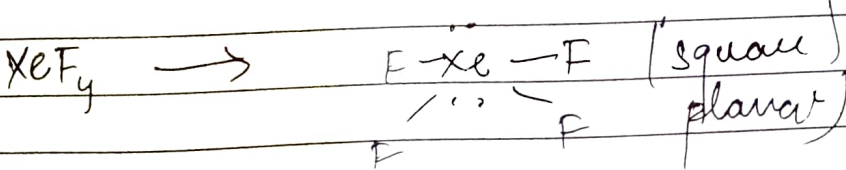
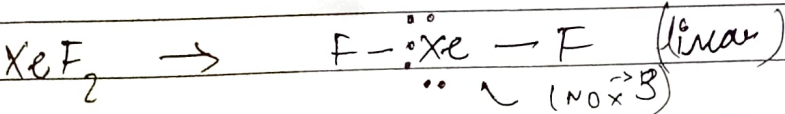
$8 + 42 = 40$

$\sigma$  bonds

$\frac{2}{2} \rightarrow 1$

lone pair  
 $\rightarrow 2/2 \rightarrow 1$  lone pair.

Note:





Hybridisation:  $\sigma + \text{lp} = \text{steric no.}$  Hybridisation

steric  
no.

$(\sigma + \text{lp})$

2	$sp$ → linear
3	$sp^2$ → Trigonal planar
4	$sp^3$ → Tetrahedron
5	$sp^3d$ → TBP
6	$sp^3d^2$ → Oh.
7	$sp^3d^3$
8	$sp^3d^4$

## VSEPR THEORY:

Valence shell electron pair theory

→ It decides shape of molecule or ion by electron pair repulsion.

### ORDER OF VSEPR:

$\text{lp-lp} > \text{lp} - \pi \text{ bond pair} > \text{lp} - \sigma > \pi - \pi > \pi - \sigma$

$\sigma - \sigma$

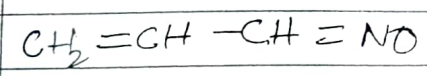
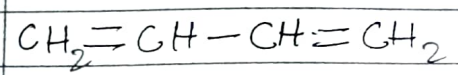
# Resonance:

## Delocalisation of $\pi e\bar{s}$

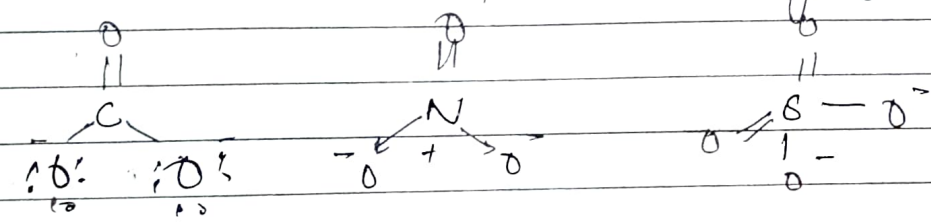
$\pi e\bar{s} \rightarrow e\bar{s}$  of  $\pi$  bond & conjugate lone pair.

# conjugate lone pairs:  
Condition  $\rightarrow$

i)  $\pi$  bonds must be conjugated.



ii)  $\pi$  bonds & lone-pairs are conjugated.



iii)  $\sigma$  p and vacant (p or d) orbitals must be conjugated

$\begin{array}{c} F \\ | \\ B \\ / \quad \backslash \\ F \quad F \end{array}$

$\begin{array}{c} \oplus \\ | \\ CH_2 - \ddot{O}H \end{array}$

↑ ↑ ↑ ↑ ↑ ↑ ↑ ↑ ↑ ↑ ↑



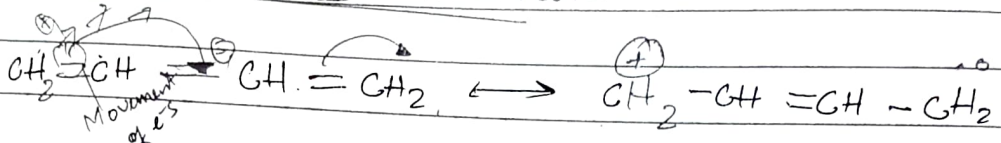
Resonance energy:  $\Delta E$   $\rightarrow$  Metaambic  $\rightarrow$  one central atom

Actual B.E - energy of most stable resonating structure

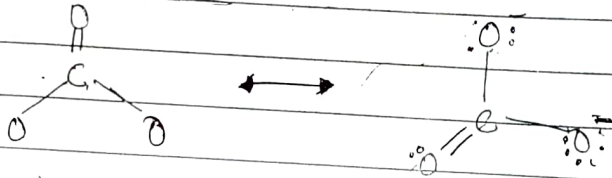
Page No. \_\_\_\_\_  
Date: \_\_\_\_\_

How to draw Resonating structure  $\rightarrow$  or Canonical form

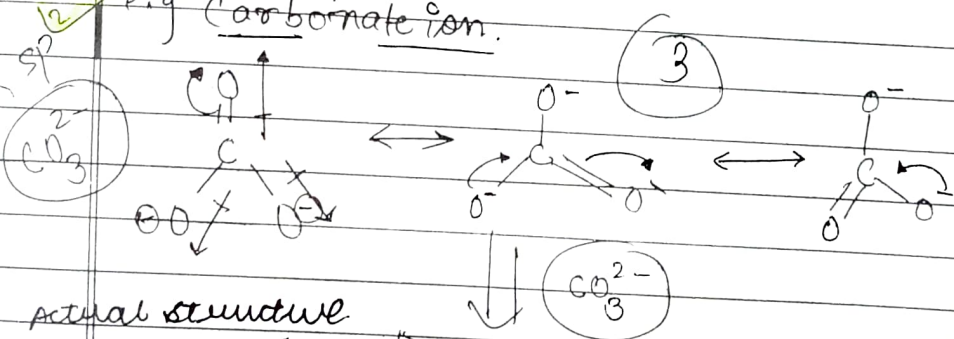
i)  $\pi$  bond to  $\pi$  bond movement



ii) lp to  $\pi$  bond



e.g. Carbonate ion.



Actual structure of all different possible structures that can be written for the molecule.

Resonance hybrid: Partial  $\pi$ -character overlapped

Bond order  $(\sigma + \pi)$

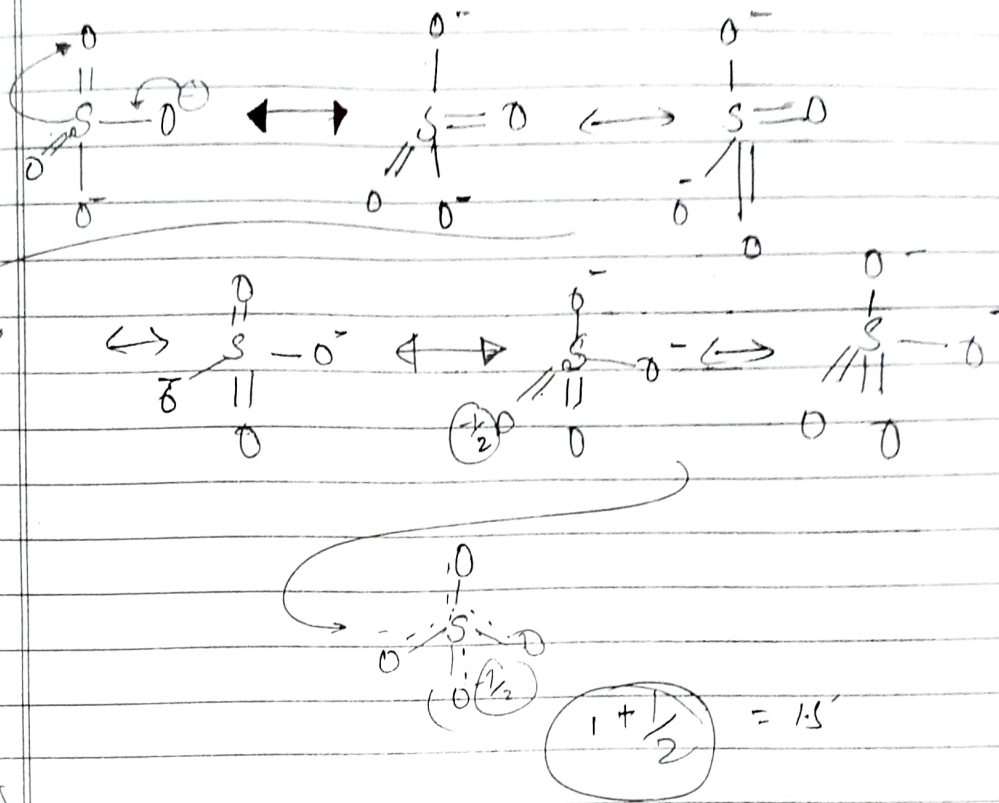
$(1 + \frac{1}{3}) = \frac{4}{3}$

Resonance energy  $\uparrow$  Molecule  $\uparrow$  Stability  $\uparrow$

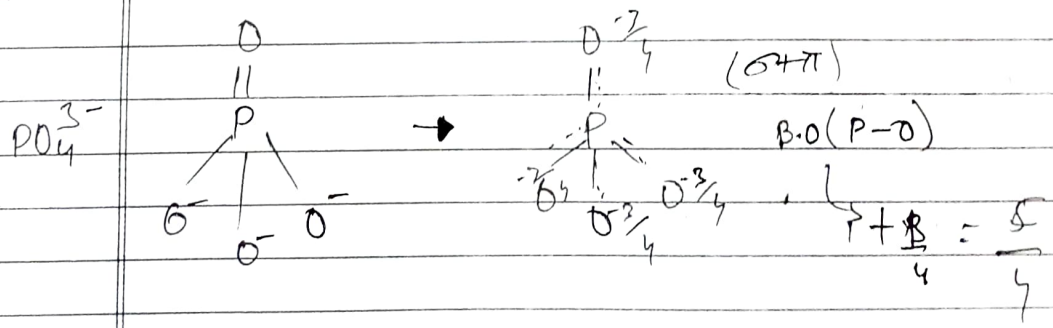
R.E  $\propto$  no. of resonating structures.  
 $\propto$  no. of covalent bonds in a molecule.

Formal charge: Proportional change on an atom.

Page No.   
 Date



Bond order:  $\frac{\text{Total no. of bonds}}{\text{No. of surrounding atoms involved in Resonance}}$

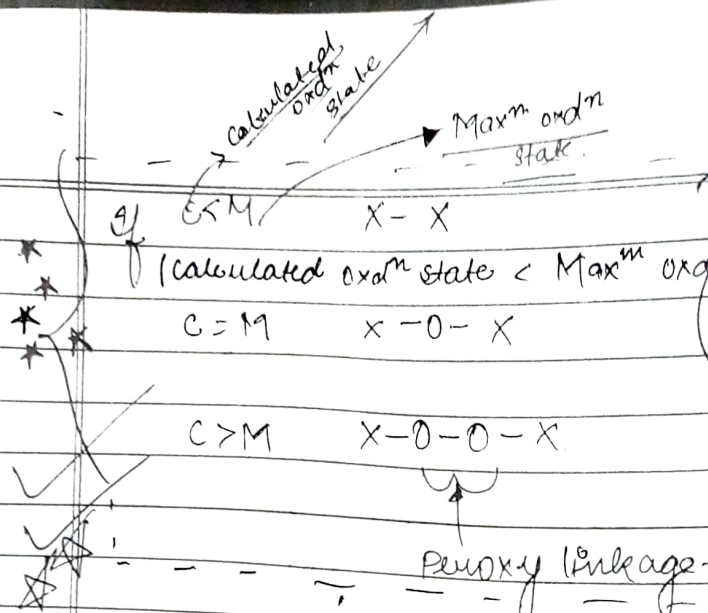


How to remember:

Bond order =  $\frac{\text{FB}}{\text{SA}}$

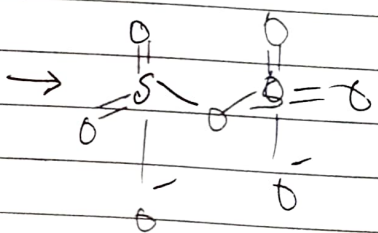
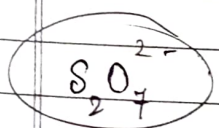
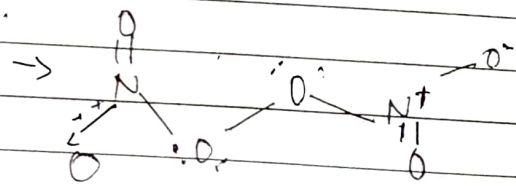
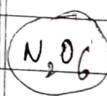
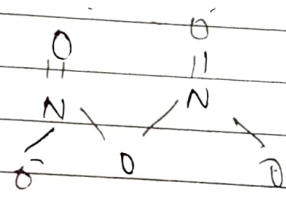
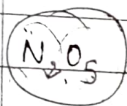
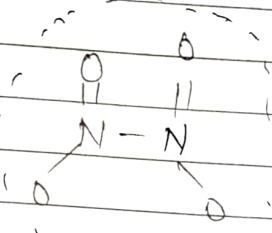
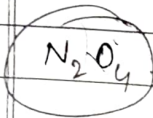
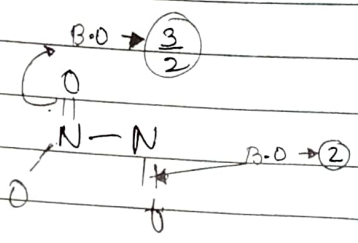
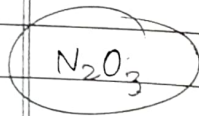
FB — only those involved in resonance  
 SA — only those involved in resonance

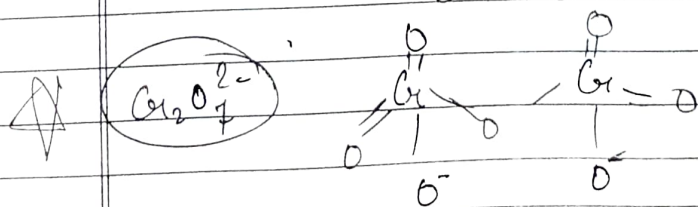
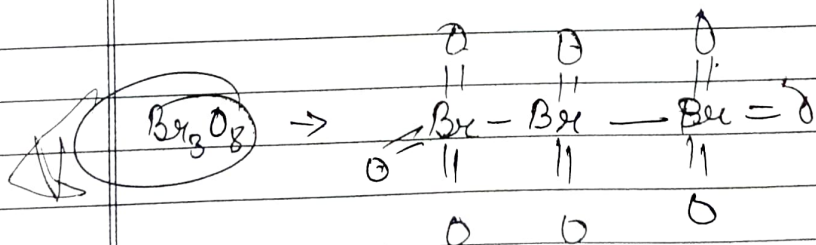
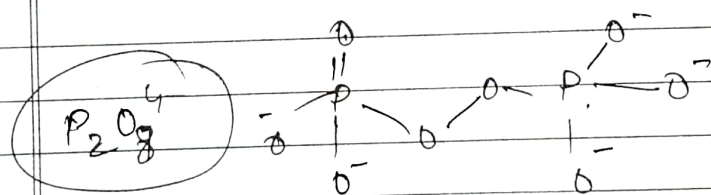
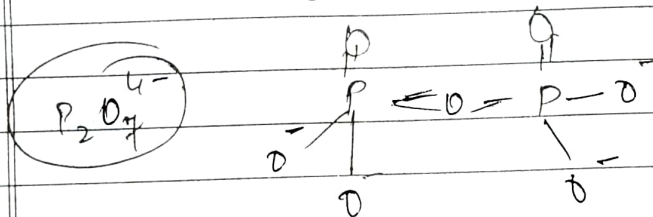
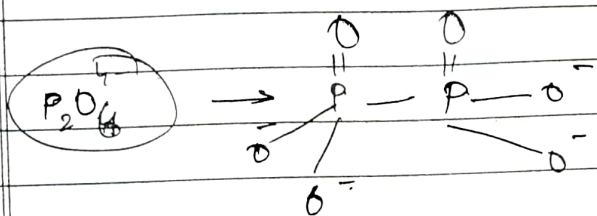
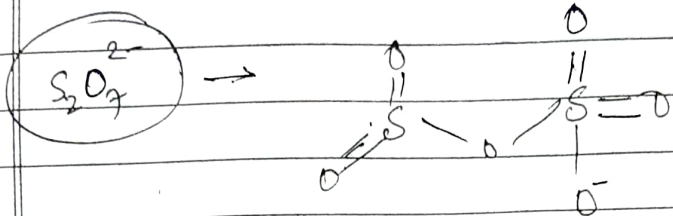
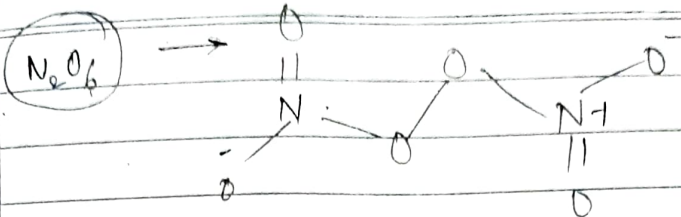




NOTE:

An electron in an atomic orbital is influenced by one nucleus while in a MO it is influenced by two or more nuclei.







Factors:

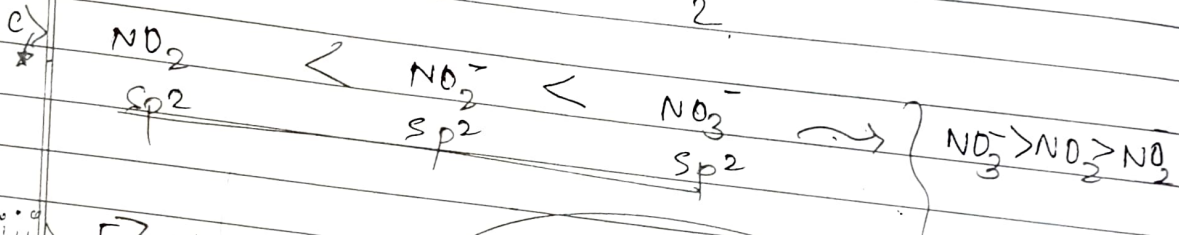
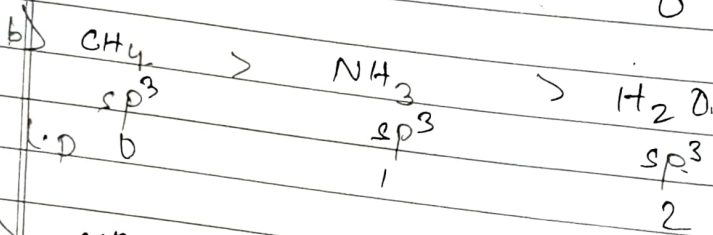
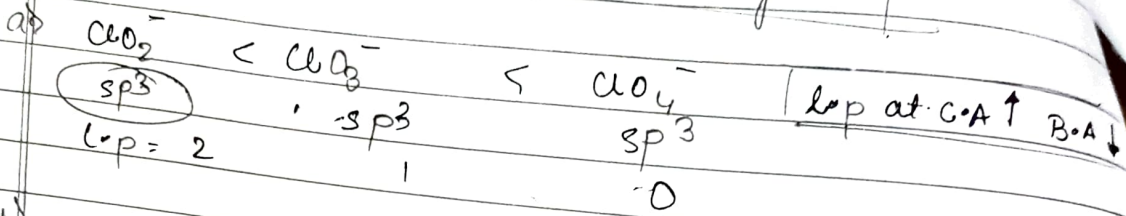
- \* Hybridisation
  - \* lp
  - \* EN
  - \* size of surrounding atom
- } for central atom

Page No.

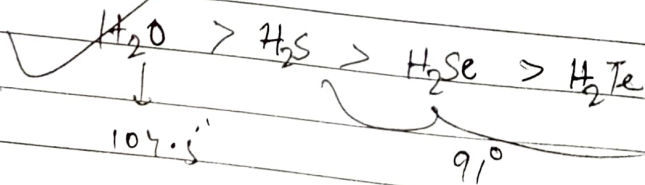
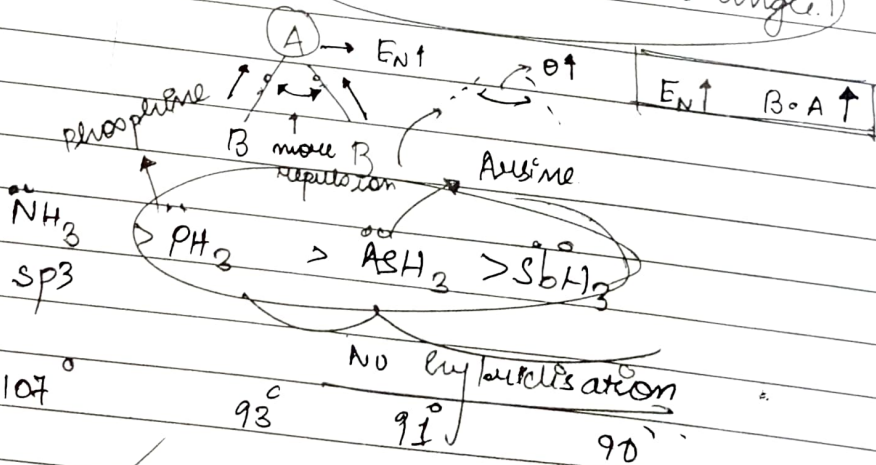
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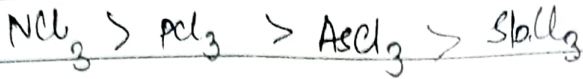
ii) If hybridisation same, then

$$\left[ \text{no. of lp at C.O.A} \propto \text{Bond Angle} \right]$$

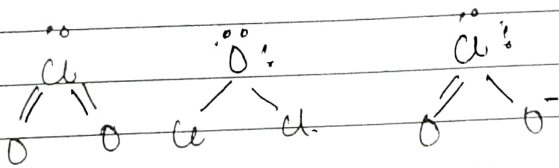
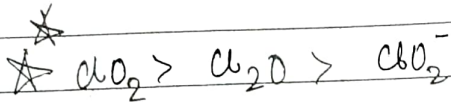
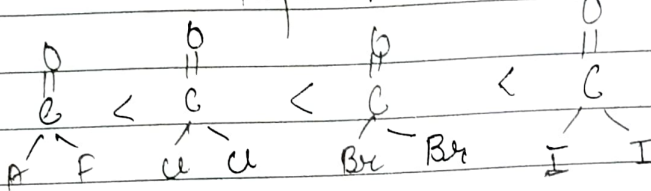
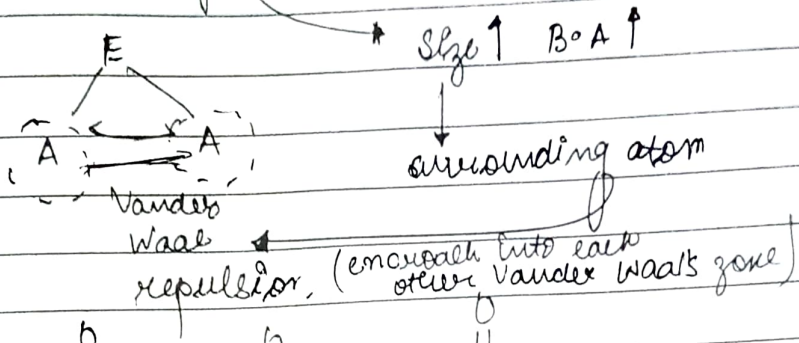


iii) EN of C.O.A → EN of C.O.A  $\propto$  Bond angle.





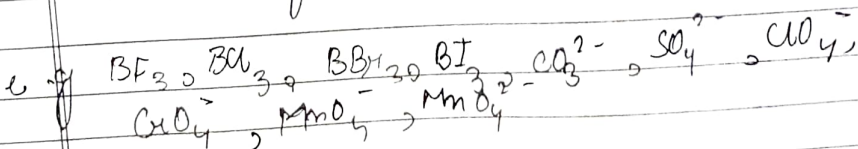
iv) Size of surrounding atoms }  $\propto$  Bond angle



Surrounding atom same }  $\propto$   $\text{B.O.P} = 0$   
 actual atom

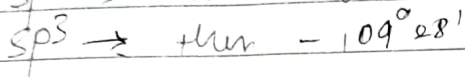
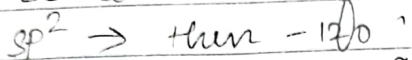
Regular Geometry:

In which  $\text{B.O.P}$  of  $\text{C.O.A}$  is zero and all surrounding atoms are same.

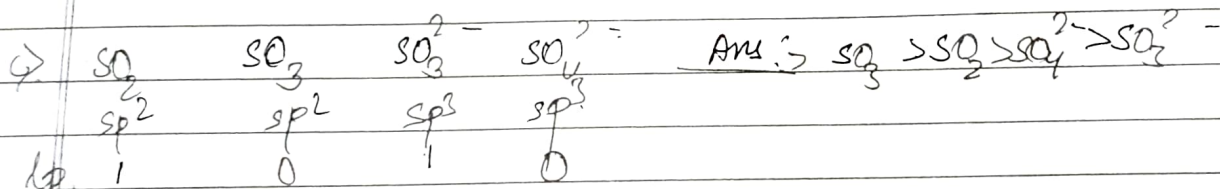
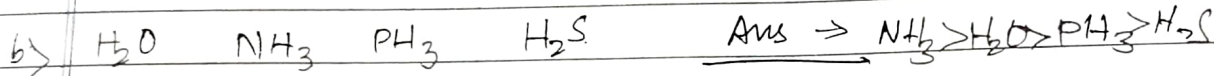
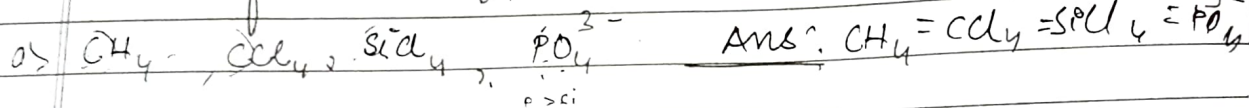




In the regular geometry having molecules bond  $\angle$ 's are same if they have same hybridisation.



a) Order of bond angle:



d) No. of  $180^\circ$  &  $90^\circ$  in B.A:



Ans) No. of  $120^\circ$  B.o.A in . .

Structure	lp	Hybridisation	Geometry	Shape	B.o.A	Structure
<chem>POCl3</chem>	0	$sp^3$	Tetrahedron (Td)	Tetrahedron (Td)	$< 109.5^\circ$	
<chem>XEF4</chem>	2	$sp^3d^2$	Oh	Square planar		
<chem>XeOF4</chem>	1	$sp^3d^2$	Oh	Square pyramidal	$< 90^\circ$	
<chem>I-I-I</chem>	3	$sp^3d$	TBP	Linear	180	
<chem>ClO2+</chem>	1	$sp^2$		V-shaped		



# Valence Shell Electron Pair Repulsion Theory

Proposed by Sidgwick, Sidgwick & Powell,  
Further it was developed by Gillespie & Nyholm.

\* Geometry of molecule depends upon <sup>total no. of</sup> valence shell electrons i.e.  $\sigma$  bond or  $\pi$ -bond or lone-pair.

\* Valence shell electron pair i.e. bonds repel each other in a molecule so they arrange themselves in such a way that repulsion becomes minimum & dist becomes maximum.

Double bond occupy more space

\* Bond-pair occupy less space & lone pair occupy less space so lone-pair - lone pair exert more repulsion than bond pair (electron cloud of lone pair is dispersed)

Why is e<sup>-</sup> cloud of lone pair dispersed?  
Ans: l-p - l-p repulsion  $\uparrow$

## Order of VSEPR:

l.p >  $\sigma$   
 $l-p - l-p > l-p - \pi > \pi - \pi > l-p - \sigma > \pi - \sigma > \sigma - \sigma$

VSEPR  $\rightarrow sp^3d$

triangular  
BF<sub>3</sub>-pyramidal  
equatorial  
axial

\* l-p occupy equatorial position

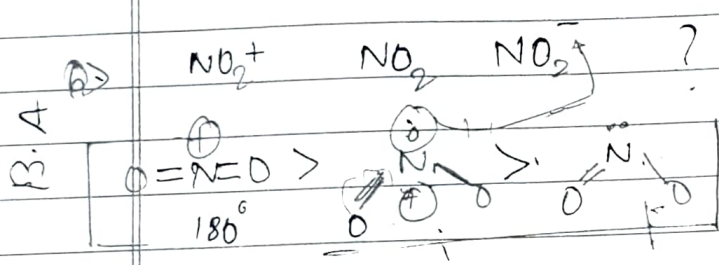
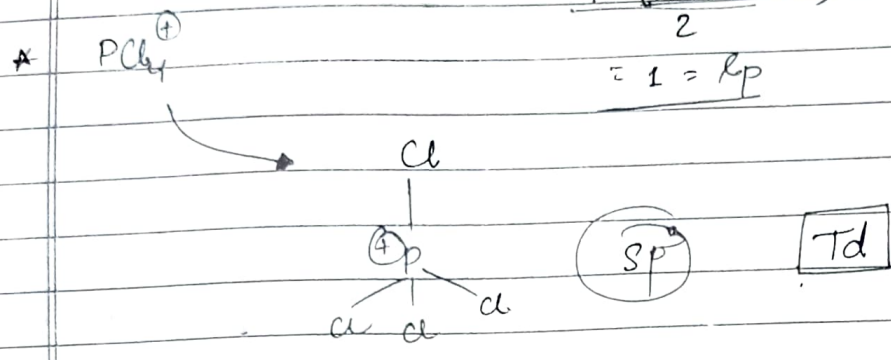
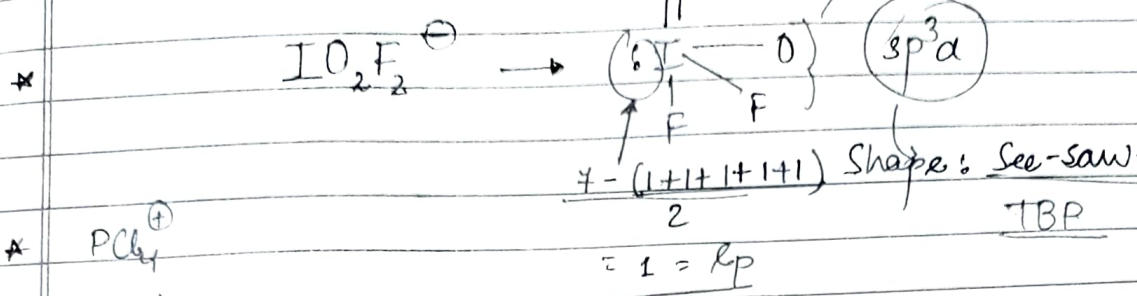
\* More E<sub>o</sub>N  $\rightarrow$  AXIAL

\* Double bonds  $\rightarrow$  More space  
 $\downarrow$   
equatorial.

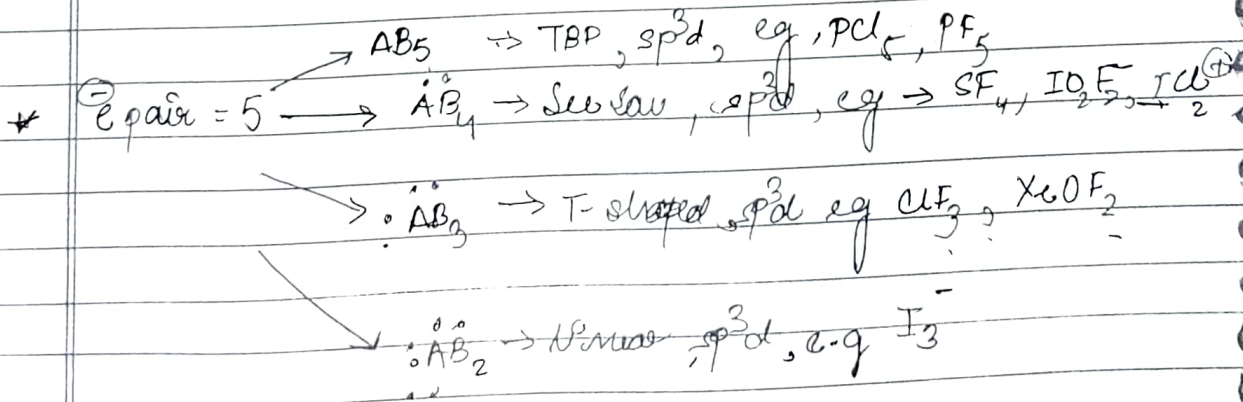
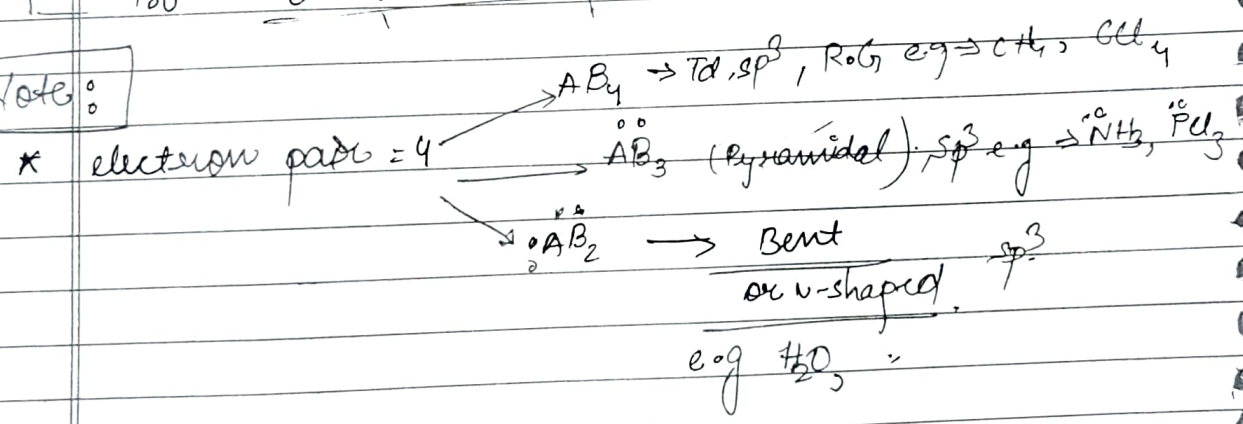
Molecule	V. So EPR	Geometry	Shape	Lop	B-A	Examples	Structure
$AB_2$	2 <small>steric no (E+L)</small>	linear B-A-B	linear	0	$180^\circ$	$BeCl_2$ (gas)	$u-Be-u$ 
$AB_3$	3	Trigonal planar	Trigonal planar	0	$120^\circ$	$BF_3, AlX_3$	
$AB_4$	4	Tetrahedral (Td)	Td.	0	$109.28^\circ$	$CH_4, SiCl_4, CCl_4$ etc	
$AB_5$	5	Trigonal bipyramidal (TBP)	(TBP)	0	$120^\circ, 180^\circ$	$PCl_5, PF_5$ etc. #	
$AB_6$	6	Octahedral	Oh	0	$90^\circ$	$SF_6, SeF_6^{2-}, PF_6^-$	
$AB_2$	3	Trigonal bipyramidal	<del>Trigonal bipyramidal</del> Bent (V-shaped)	1	$< 120^\circ$	$SO_2$	
$AB_3$	4	Tetrahedral	Pyramidal	1	$< 109.28^\circ$	$NH_3, PF_3$ etc	

due to repulsion by l.p.

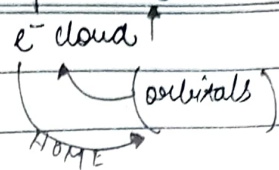




Note:



Internuclear axis should pass through  
 (Max<sup>m</sup> Page No. & density)  
 ↑

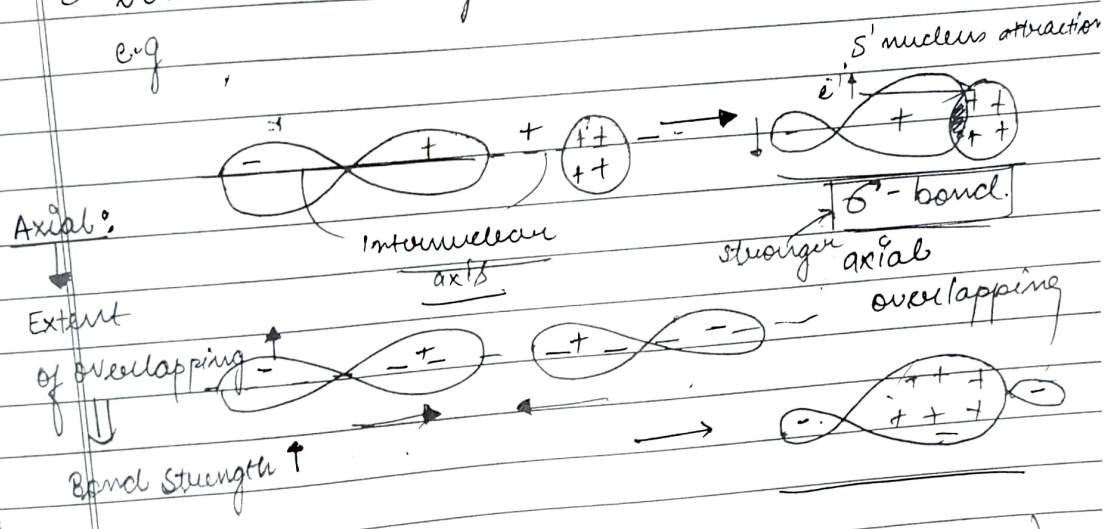


# Types of Overlapping:

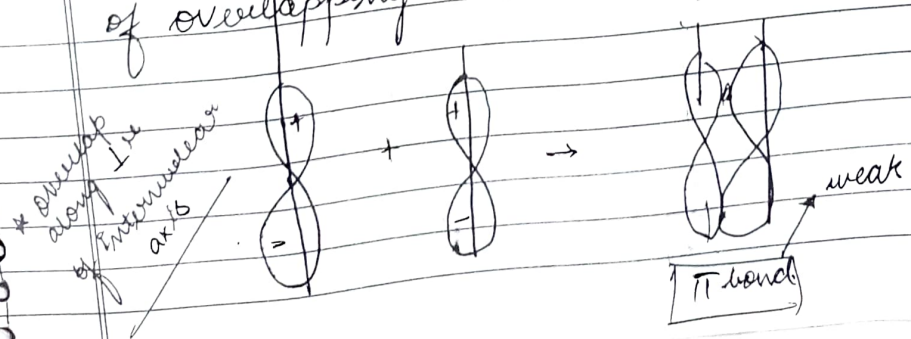
a) Axial overlapping or Head-on overlapping:  
 (AXIAL)

→ When atomic orbitals overlap along their internuclear axis then this is called axial overlapping. This forms  $\sigma$  bond and because in this type extent of overlapping is more so  $\sigma$  bonds are stronger than  $\pi$  bonds.

e.g.



b) Sidewise overlapping: (Colateral overlapping)  
 (CO-LATERAL)  
 → When orbitals overlap along the  $\perp$  axis this results in  $\pi$ -bond and in this extent of overlapping is less so  $\pi$  bond is weak.





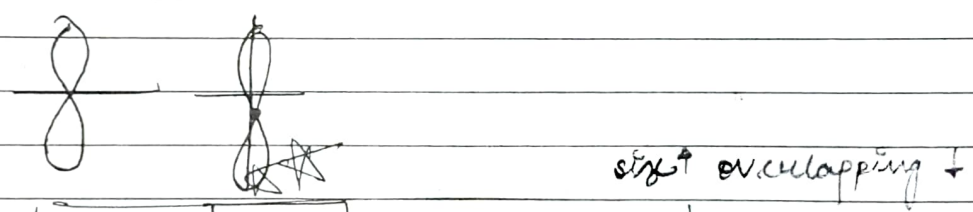
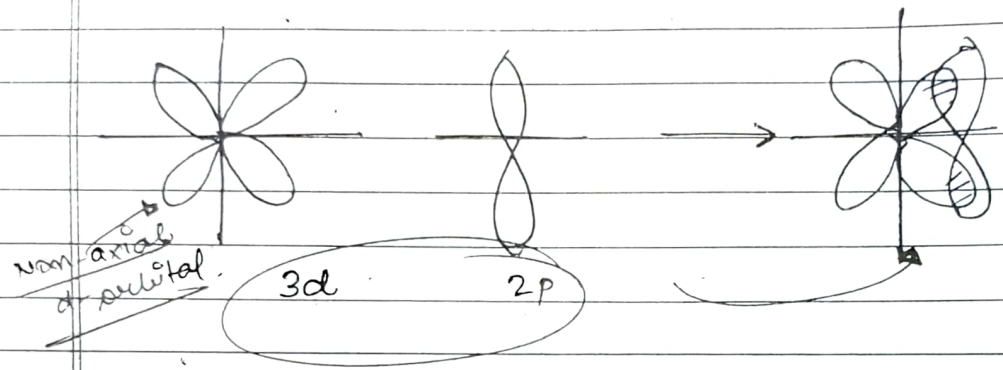
Extent of  $\pi$ - $\pi$  overlapping  $\propto$

Lewis Acid character

Extent of side-wise overlapping:

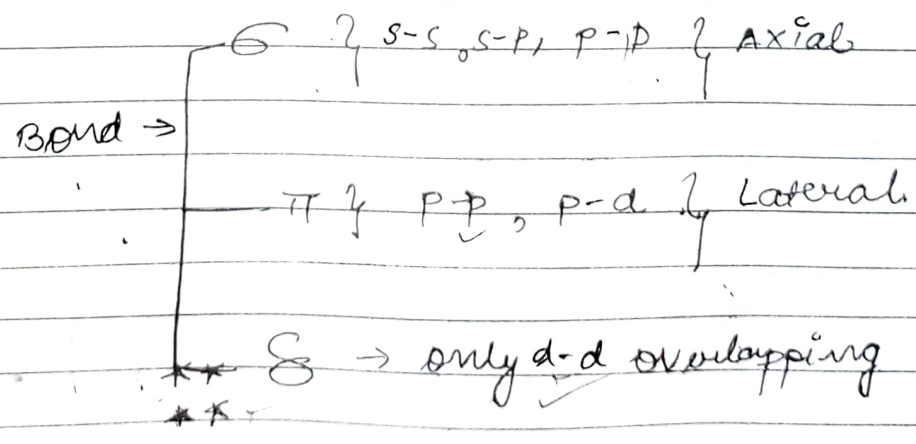
L.A  $\uparrow$   $\pi$ - $\pi$  overlapping  $\downarrow$

$\boxed{2p-2p} > 2p-3p > 3p-3p$   
 $\uparrow$   
 rarely seen



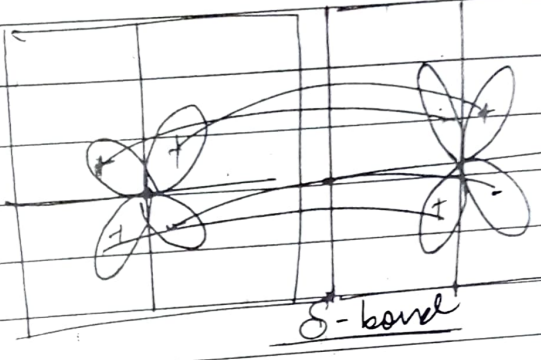
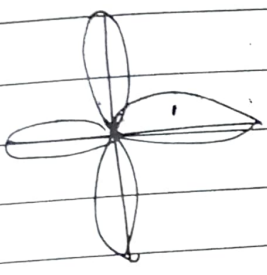
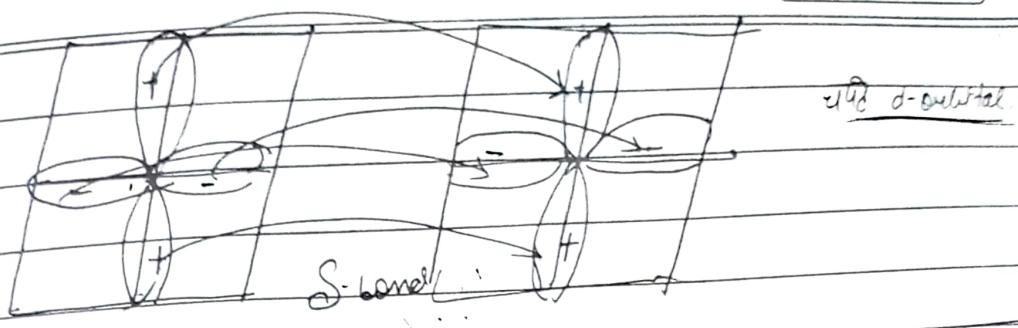
$\boxed{2p-2p} > \boxed{2p-3d} > 2p-3p > 3p-3p$

Note: \*\* s-orbital always forms  $\sigma$  bond. They can never form  $\pi$ -bond while p and d orbitals can form  $\sigma$  and  $\pi$  both.



(-ve overlapping)  $\rightarrow$  no bond conditio

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~~$P_x - P_y$  orbital can never overlap.~~

Orbitals	Axis	Type of bond
<del><math>P_x \&amp; P_x</math></del>	<del>x y z</del>	<del><math>\pi</math> no bond <math>\pi</math> bond</del>
<del><math>P_x \&amp; P_y</math></del>	<del>x y z</del>	<del>No bond</del>
<del><math>P_x \&amp; d_{xy}</math></del>	<del>x y z</del>	<del>No bond <math>\pi</math>-bond no-bond</del>
<del><math>P_y \&amp; d_{z^2-y^2}</math></del>	<del>x y z</del>	<del>No bond <math>\pi</math> bond</del>
<del><math>d_{xy} \&amp; d_{xy}</math></del>	<del>x y z</del>	<del><math>\pi</math> <math>\pi</math> <math>\sigma</math></del>

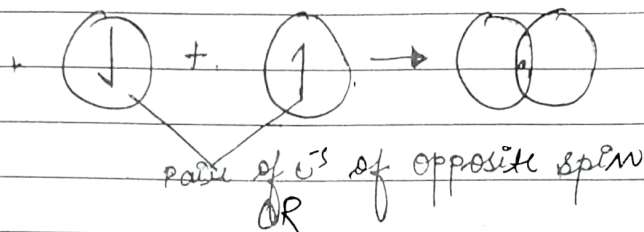


G)  $d_{x^2-y^2}$  &  $d_{z^2-y^2}$

x	0
z	0
y	0

### Condition of overlapping:-

- \* Combining atomic orbital must have one electron each with opposite spin



One orbital is fully filled and another orbital is vacant.

(fully filled + vacant) orbital

### Drawbacks of VBT:

- \* It explains bond formation, strength of bond and stability of molecule but it does not explain shape and geometry of molecule.

Explained by VSEPR.

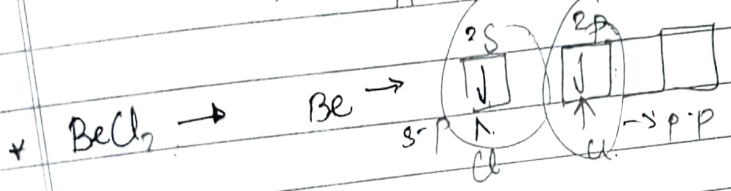
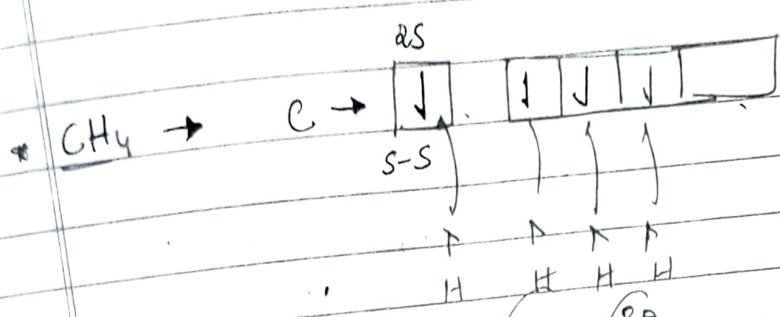
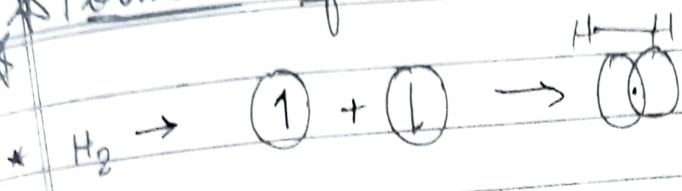
~~VBT:~~

- ~~\* Bond formation~~
- ~~\* Strength of bond~~
- ~~\* Stability of molecule~~

VSEPR:

Shape of molecule and geometry

# Formation of molecule according to VBT



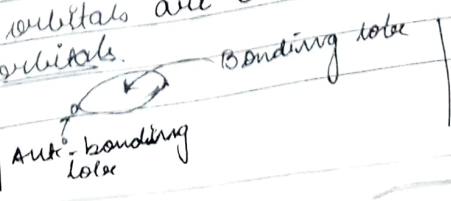
## Need of Hybridization!

\* According to VBT, methane or any other molecule should have different type of overlapping, different bond strength but actually, in a molecule all bonds are identical i.e. explained by hybridisation.

## Hybridisation:

It is the process in which atomic orbitals of an atom with nearly same energy are dissolved and result equal no. of new orbitals with same energy, same size, same shape.

These new orbitals are called hybrid orbitals.





Note: extent of overlapping  $\uparrow$  More stronger bond  $\uparrow$

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## Characteristics

\* It is a hypothetical process.

\* Only (valence) orbitals but not  $e^-s$  take part in the hybridisation and that orbital may be fully-filled, half-filled or vacant.

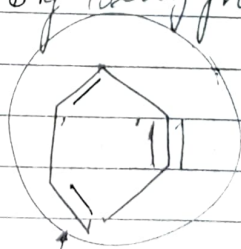
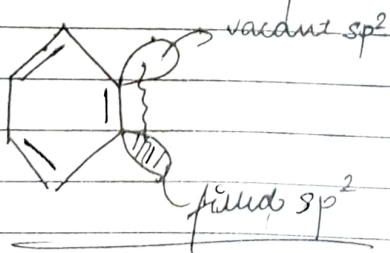
Participation of valence orbitals.

\* No. of formed hybrid orbitals'll be equal to no. of atomic orbitals which take part in the hybridisation.

\* Hybrid orbitals are more directional than pure orbitals, so hybrid orbitals have more extent of overlapping. so they form more stronger bond.

see structure

\* NOTE: Hybrid orbitals generally form  $\sigma$  bond. They do not form  $\pi$  bond, but there is some exception e.g Benzene



structure of Benzene

$(\sigma)$  strength  $>$   $(\pi)$  bond

H-O

# examples of hybridisation

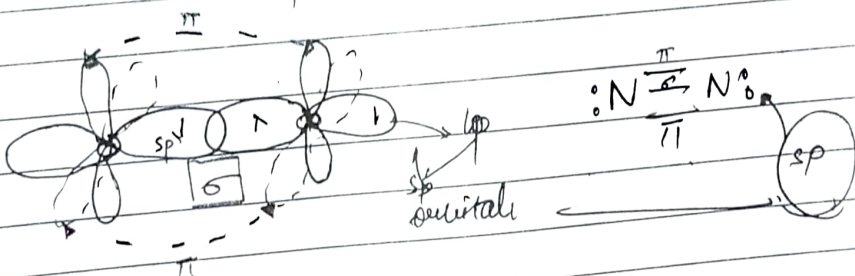
→  $sp$   
 e.g.  $BeCl_2, CO_2$   
 $CS_2$

→  $sp$   $P_x / P_y / P_z$

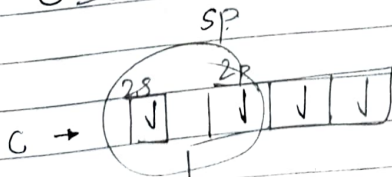
↓  
 structure: linear



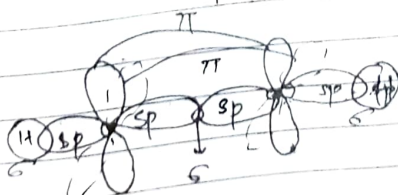
$2sp$



e.g.  $H-C \equiv C-H$



$2sp$



$\pi$ -bond  
 weak  
 extra  $sp$   
 overlapping

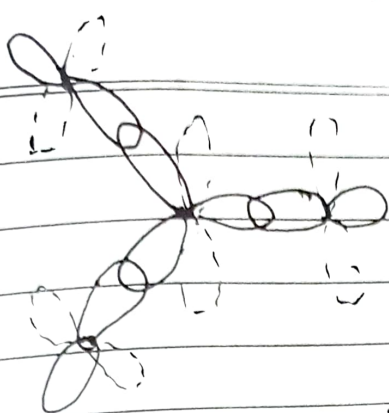


Oxygen  $\rightarrow e(-ve)$

contraction of orbitals

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$SO_2$



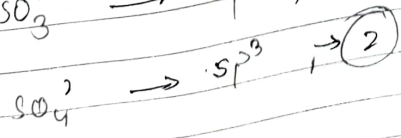
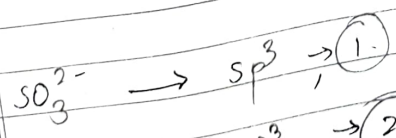
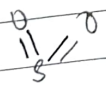
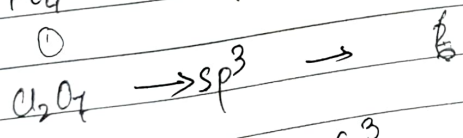
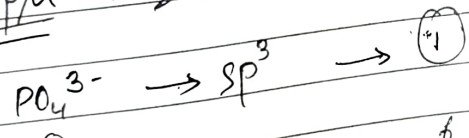
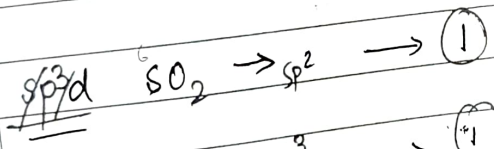
$$\frac{3\sigma}{3\pi} \quad \begin{matrix} (1 p-\pi) \\ (2 d\pi-p\pi) \end{matrix}$$

a) if hybridisation is  $sp^3$  then all  $\pi$  bonds are  $d\pi-p\pi$

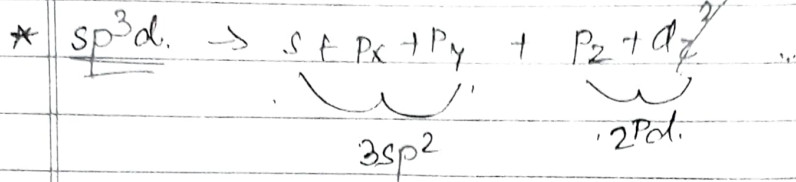
b) if hybridisation  $< sp^3$  then  
no. of  $d\pi-p\pi = (n-1)$

NOTE:

How to calculate no. of  $d\pi-p\pi$  bonds



i) hybridisation  $< sp^3$   
 $\downarrow$   
(n-1) total  $\pi$  bonds

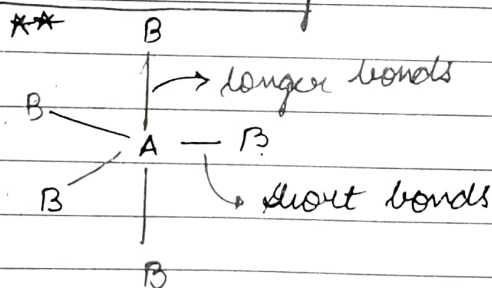


TBP

\*\*\* a)  $sp^3d$  or TBP molecules do not have all the bonds identical but 3 equatorial bonds have  $sp^2$  & two axial bonds have  $pd$  hybridisation.

Equatorial bonds have  $s$ -character, so they are stronger bonds, less bond length while axial bonds are weaker & have longer bond length.

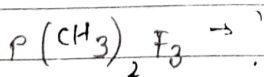
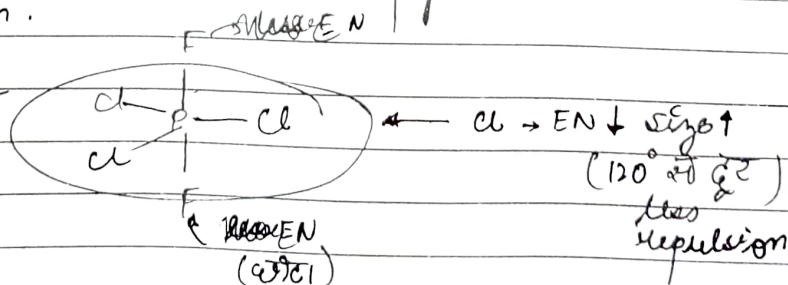
*Take example of double bond*



*EN ↑ axial position*

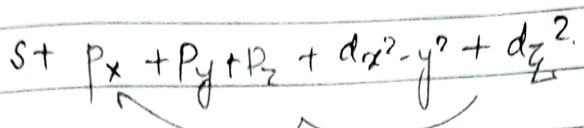
c) More EN atom occupy axial position while less EN atom occupy equatorial position.

eg  $PCl_3F_2$





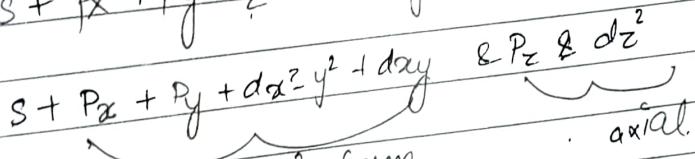
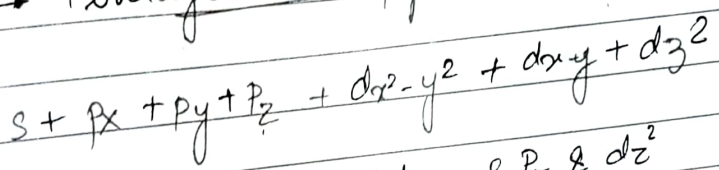
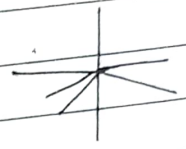
$sp^3d^2 \rightarrow$  Oh (Octahedron)



$6sp^3d^2 \rightarrow$  all are equal.

e.g.  $SF_6$ ,  $SPF_6^{2-}$ ,  $PF_6^-$ ,  $AsF_6^-$ ,  $SbF_6^-$

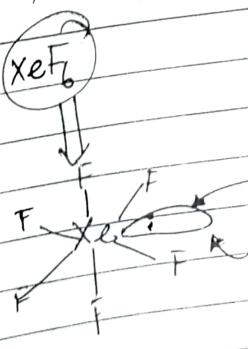
$sp^3d^3 \rightarrow$  Pentagonal Bipyramidal



$5sp^3d^2$  form pentagon.

axial.

e.g.  $IF_7$  &  $XeF_6$



stereochemically inert

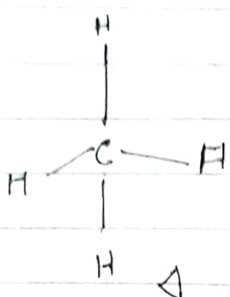
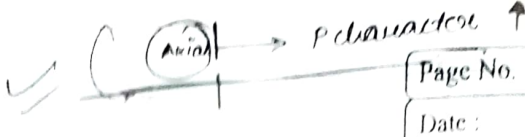
capped octahedral

or distorted octahedral

sp<sup>3</sup> → axial

sp<sup>2</sup> → equatorial

Bent's rule:



(BASIC)

s% ↑    p% ↓  
↑  
Bond length

More electronegative atoms attached to hybrid orbital (H<sub>2</sub>O) that has more p-character & less s-character.

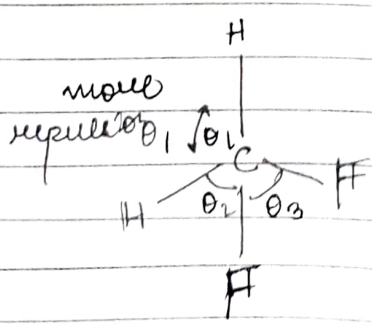
sp and π bond occupy eq. hybrid orbital (H<sub>2</sub>O) that has more s-character and more p-character

$$\cos\theta = \frac{s}{s-1} = \frac{p-1}{p}$$

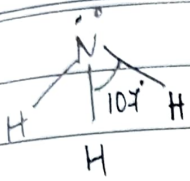
→ As we know:

as  $\theta \uparrow$  % s character ↑ size of HO ↓  
% p character ↓ size of H<sub>1</sub>

B.O.E ↑    B.O.L ↓



θ<sub>1</sub> > θ<sub>2</sub> > θ<sub>3</sub>



$$\cos 107^\circ = -0.3$$

$$-0.3 = \frac{s}{s-1} ; 0.3 = \frac{p-1}{p}$$

$$p = 0.64$$

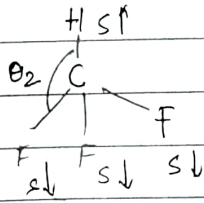
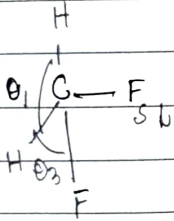
$$s = 0.23$$

23%

( < 25% )

sp

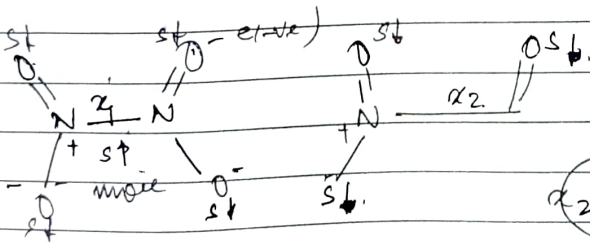
Q2



$$\theta_1 > \theta_2$$

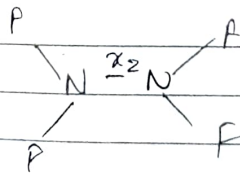
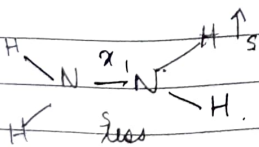
$$\theta_2 > \theta_3$$

Q3



$$\alpha_2 > \alpha_1$$

Q4



$$\alpha_1 > \alpha_2$$

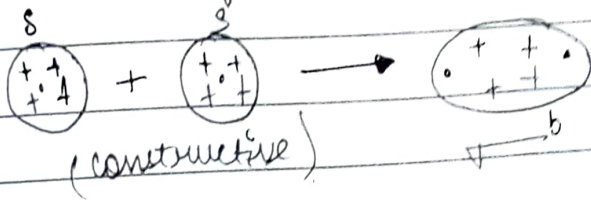


NOTE: opp overlap  $\rightarrow$  destructive  
 same overlap  $\rightarrow$  constructive

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Date:  $\rightarrow$  constructive

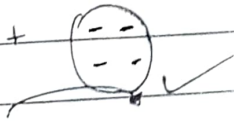
### Formation of MO:



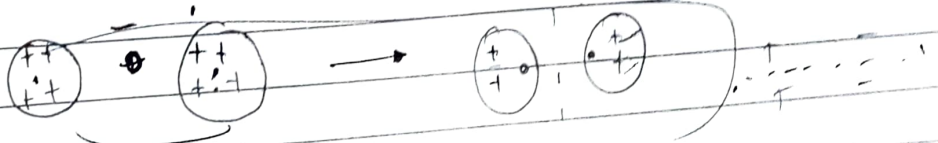
Overlap  $\rightarrow$  same sign of  $\psi$  along nucleus

$\rightarrow$  Opp sign of  $\psi$  along nucleus

periods

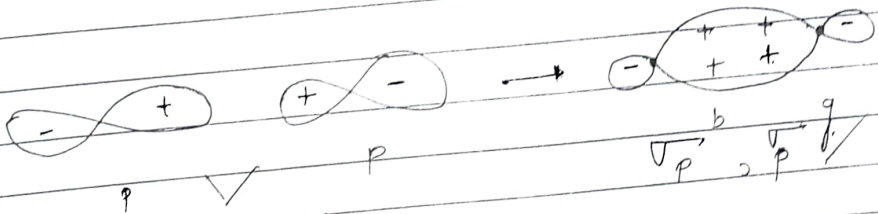


No nodal plane

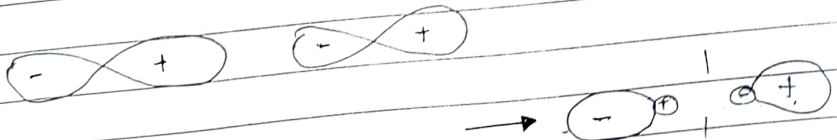


(Destructive)

$\nabla_{ab}$  or  $\nabla_{ag}$  N.P. = 1

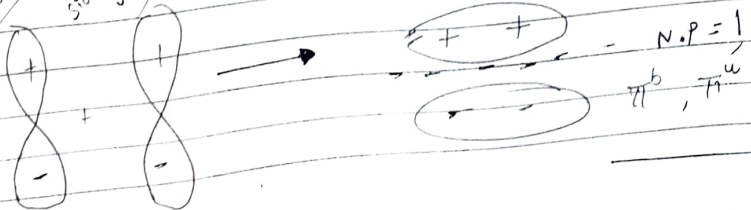


$N \cdot P = 0$



$\pi$ -orbital  
 side-wise overlapping

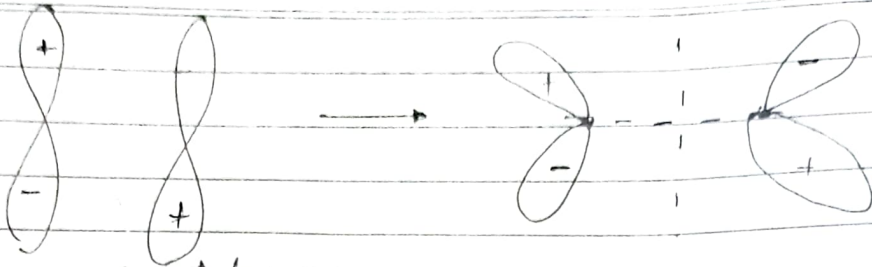
$N \cdot P = 1$   
 $\nabla_{ab}$  or  $\nabla_{au}$



Gerade or ungerade orbitals are designated for identical ones

Page No.

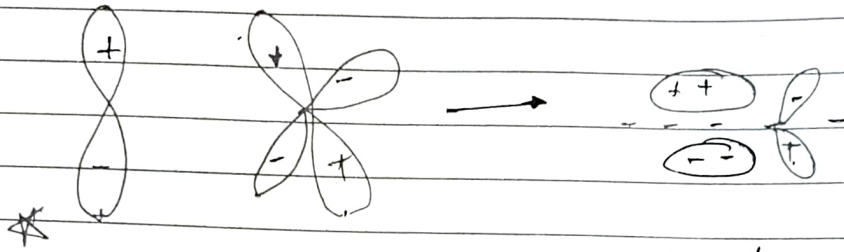
Date:



Negative overlapping

$A \cdot B \uparrow$  favorable major bonding part  $\frac{A+B}{2}$

$N \cdot P = 2$   $\uparrow$  e density  $\downarrow$   
 $\pi^{ab}$  or  $\pi^{*}$   $\pi^g$



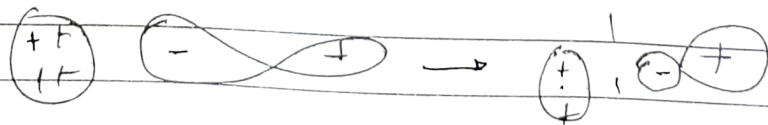
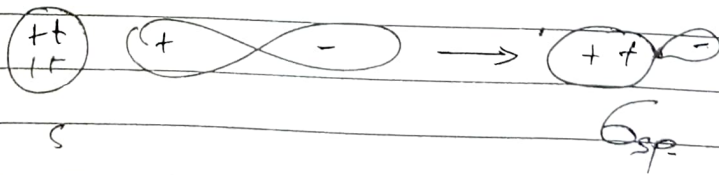
$P_{\pi} - d_{\pi}$

$NP = 1$

$(\sigma), (\sigma^*)$   
 $\Gamma$   $u, g$

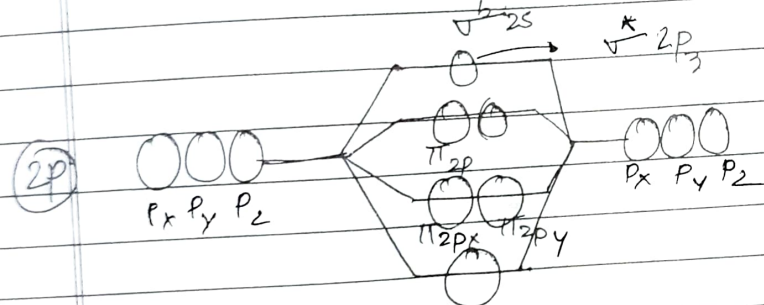
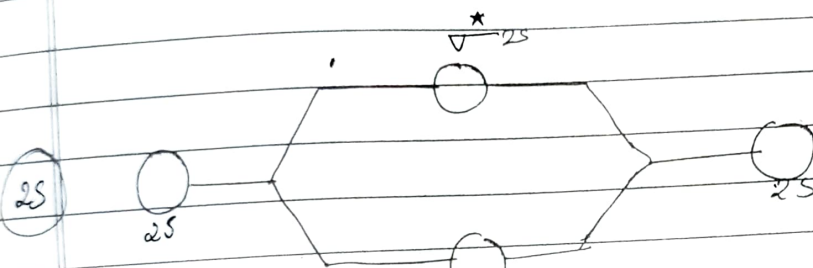
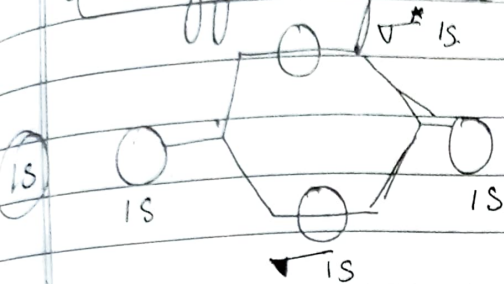
$\sigma$  —  $\left[ \begin{array}{l} \sigma^{ab} - \text{gerade} \\ \sigma^{ab} - \text{ungerade} \end{array} \right.$

$\pi$  —  $\left[ \begin{array}{l} \pi^{ab} - \text{ungerade} \\ \pi^{ab} \text{ gerade} \end{array} \right.$



$\sigma_{sp}$   $NP$

# Energy diagram for $M.O.$



~~$1s$~~
  
~~$2s$~~
  
~~$2p$~~
  
 Boron, Carbon, Nitrogen  $\rightarrow$   $sp$  mixing.
   
 For  $B_2, C_2, N_2 \rightarrow 14 e^-$  system
   
 $\sigma_{1s} < \sigma_{1s}^* < \sigma_{2s} < \sigma_{2s}^* < \pi_{2px} = \pi_{2py} < \sigma_{2p_z} < \pi_{2px}^* = \pi_{2py}^* < \sigma_{2p_z}^* < \pi_{2px}^{**} = \pi_{2py}^{**}$

Due to  $sp$  mixing the energy of  $\pi_{2px}$  &  $\pi_{2py}$  term  $\sigma_{2p_z}$  is lowered than  $\sigma_{2p_z}$ .

~~$sp$  mixing~~